

Trustworthy AI Autonomy

Lecture 6: Generative models - Adversarial

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Agenda

- Traditional ways to identify scenarios
- Data-based Scenario Generation
- Adversarial Scenario Generation
 - Adversarial Generative Network
 - Importance Sampling methods
- Knowledge-based Scenario Generation

Adversarial Generative models?

Check This ..

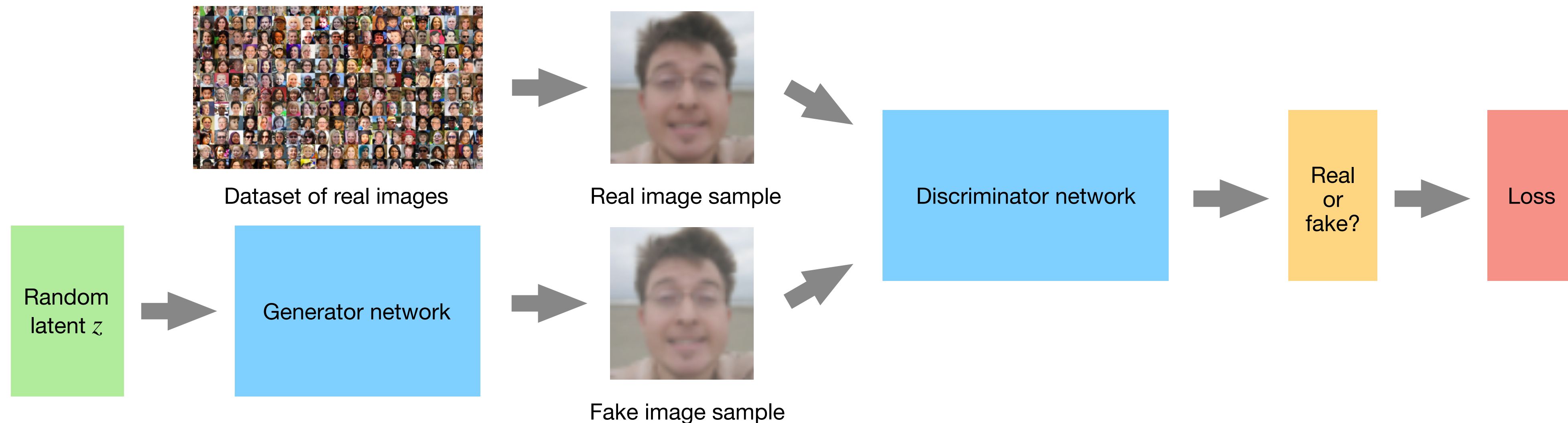
<https://thispersondoesnotexist.com>

Generative models



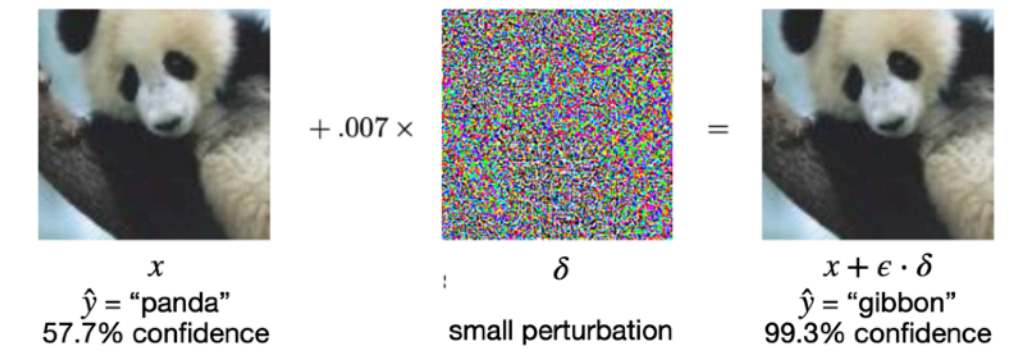
Generative Adversarial Network

- Consists of two neural networks:
 - generator: generating fake high-quality images from random latent samples (e.g. Gaussian noise)
 - discriminator: classifying whether images are real (from datasets) or fake (generated by the generator)



Adversarial examples

- **Adversarial examples:** inputs that are **specially made** by adding **small perturbation** to original inputs to **fool classifiers**

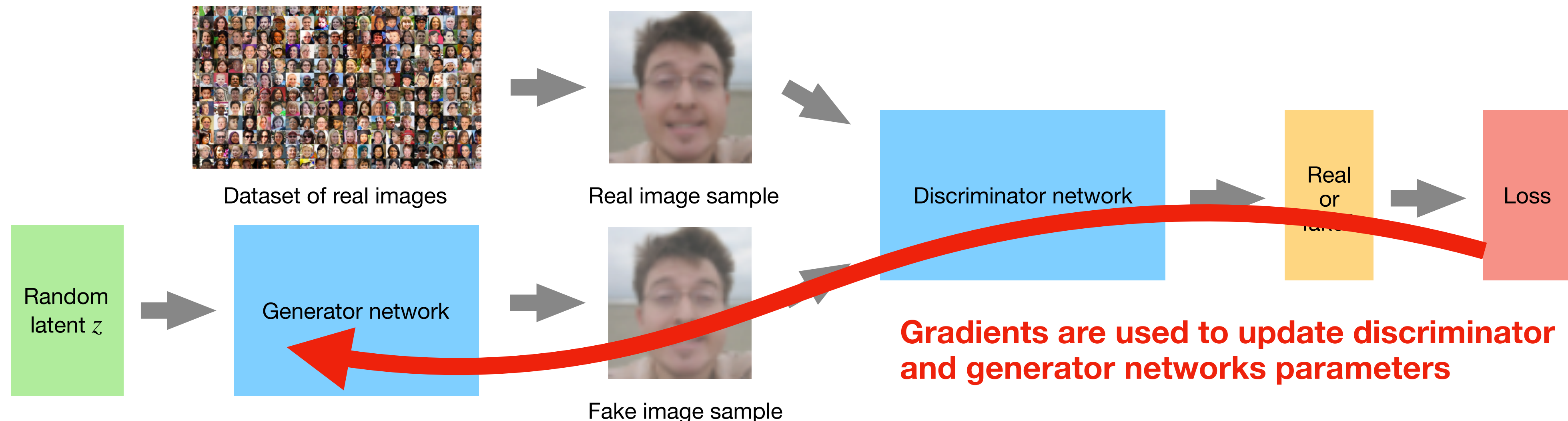


At OpenAI, we think adversarial examples are a good aspect of security to work on because they represent a concrete problem in AI safety that can be addressed in the short term, and because fixing them is difficult enough that it requires a serious research effort. (Though we'll need to explore many aspects of machine learning security to achieve our goal of building safe, widely distributed AI.)

Zhao | CMU | Goodfellow, Ian J., Jonathon Shlens, and Christian Szegedy. "Explaining and harnessing adversarial examples." arXiv preprint arXiv:1412.0043 (2014). 3

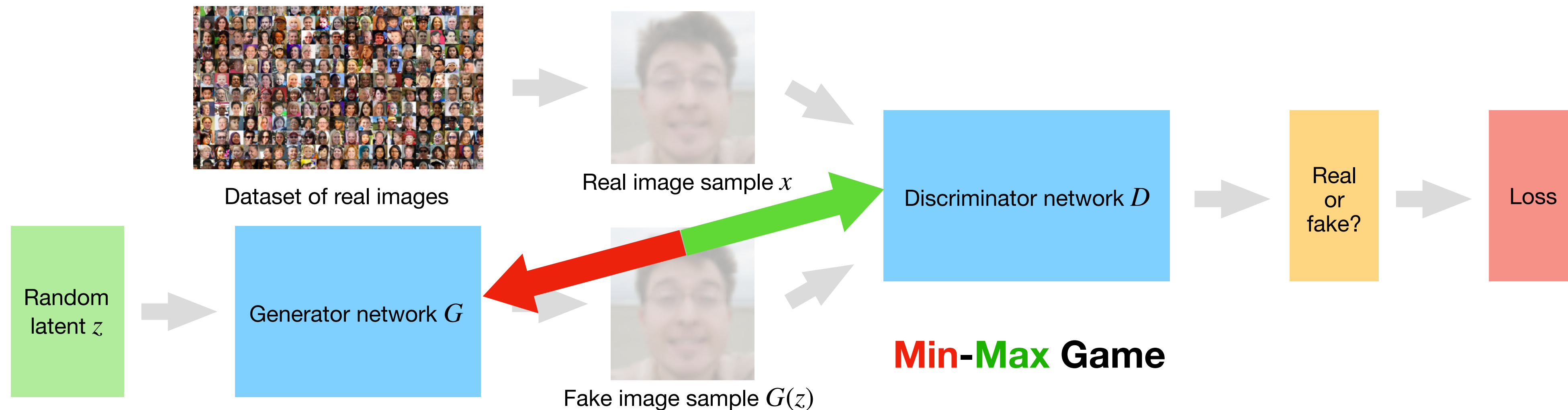
Generative Adversarial Network

- Training procedure
 - The parameters of both networks are updated by backpropagating the gradient of a mutual loss function
 - Key step: ensuring both networks are well-balanced (none dominating the other during training)



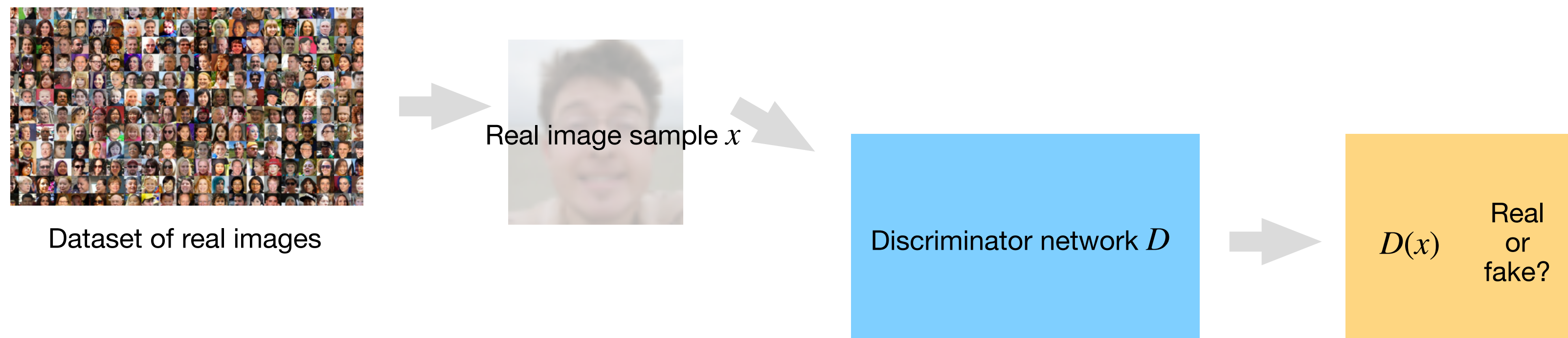
Generative Adversarial Network

- Training mechanism is a minimax game:
 - Generator (G): generating good images using latent samples $z \sim p_z$
 - Discriminator (D): discriminating real images $x \sim p_x$ from fake $G(z)$



Generative Adversarial Network

- Training mechanism is a minimax game:
 - Discriminator (D): discriminating real images $x \sim p_x$ from fake $G(z)$



Training objective: $\max_D \mathbb{E}_{x \sim p_x} [\log D(x)]$

Generative Adversarial Network

- Training mechanism is a minimax game:
 - Generator (G): generating good images using latent samples $z \sim p_z$



Training objective:

$$\max_G \mathbb{E}_{z \sim p_z} [1(G(z) = \text{real})] \approx \min_G \mathbb{E}_{z \sim p_z} [\log(1 - D(G(z)))]$$

Generative Adversarial Network

- Training mechanism is a minimax game:
 - Generator (G): generating good images using latent samples $z \sim p_z$
 - Discriminator (D): discriminating real images $x \sim p_x$ from fake $G(z)$
- Training goal: finding the best G and D simultaneously:

$$\min_G \max_D \left[\mathbb{E}_{x \sim p_x} [\log D(x)] + \mathbb{E}_{z \sim p_z} [\log(1 - D(G(z)))] \right]$$

Generative Adversarial Network

- Improving the convergence of the minimax optimization
- Choosing an appropriate mutual loss function (similar idea, but different formulation)

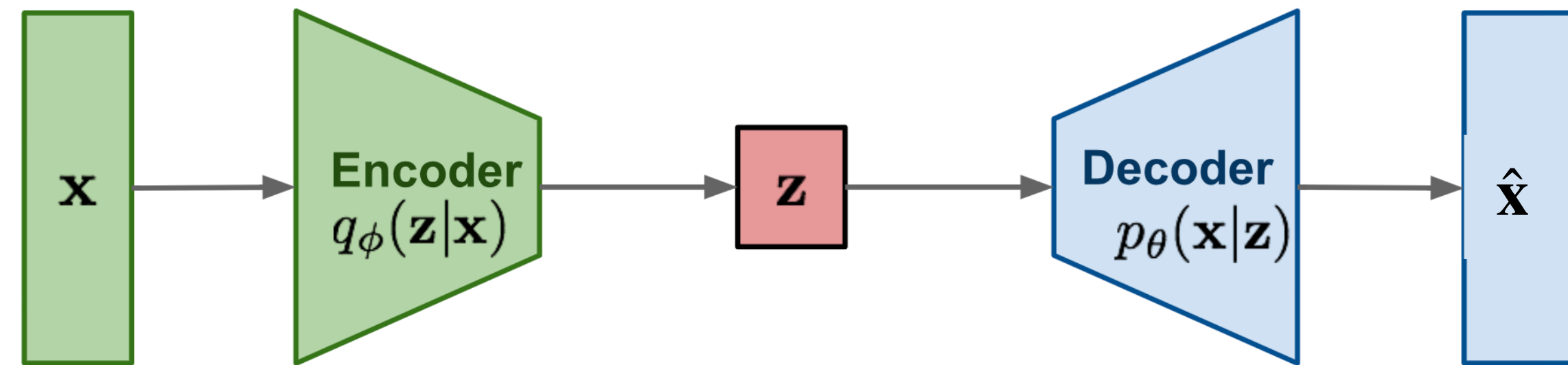
GAN Type	Key Take-Away
GAN	The original (JSD divergence)
WGAN	EM distance objective
Improved WGAN	No weight clipping on WGAN
LSGAN	L2 loss objective
RWGAN	Relaxed WGAN framework
McGAN	Mean/covariance minimization objective
GMMN	Maximum mean discrepancy objective
MMD GAN	Adversarial kernel to GMMN
Cramer GAN	Cramer distance
Fisher GAN	Chi-square objective
EBGAN	Autoencoder instead of discriminator
BEGAN	WGAN and EBGAN merged objectives
MAGAN	Dynamic margin on hinge loss from EBGAN

Source: <https://towardsdatascience.com/gan-objective-functions-gans-and-their-variations-ad77340bce3c>

Deep generative models

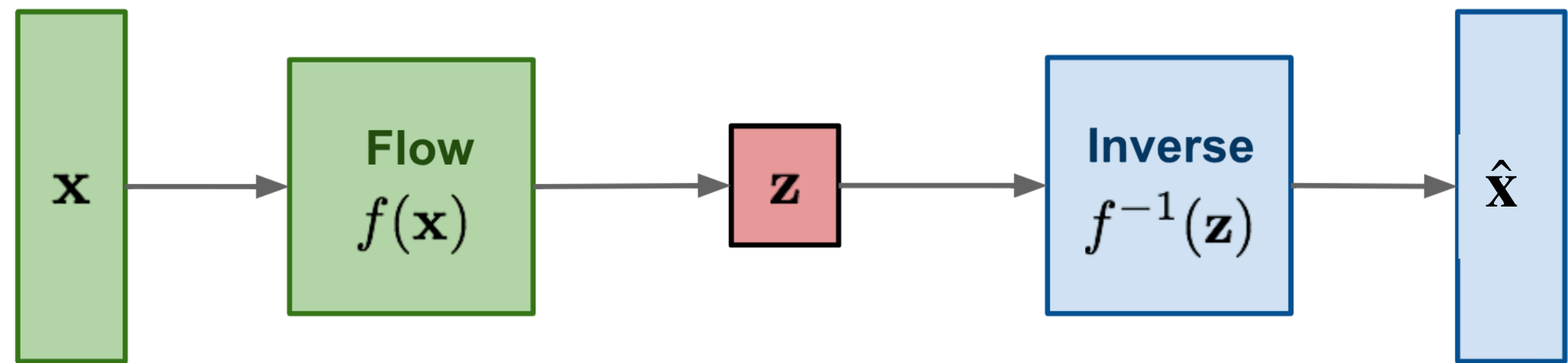
Approximate likelihood

VAE: maximize ELBO.



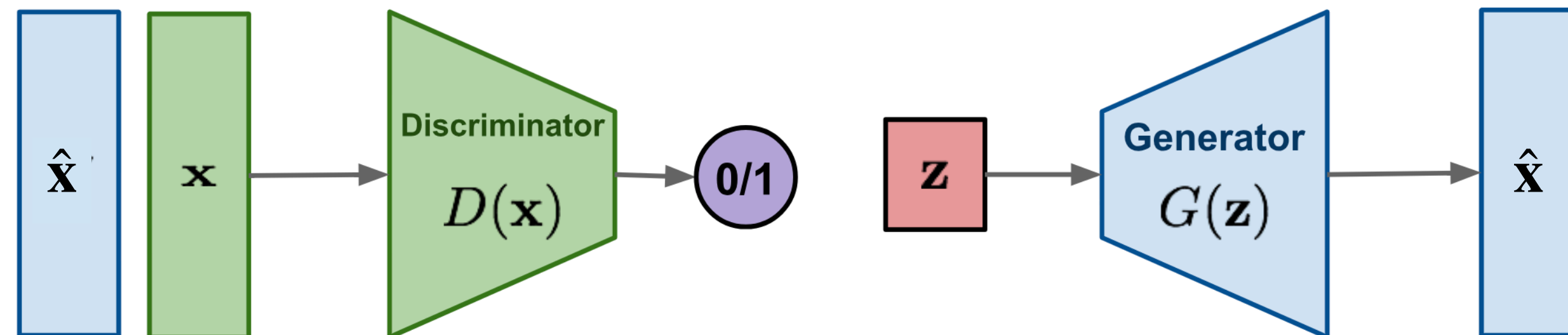
Exact likelihood

Flow-based generative models:
minimize the negative log-likelihood

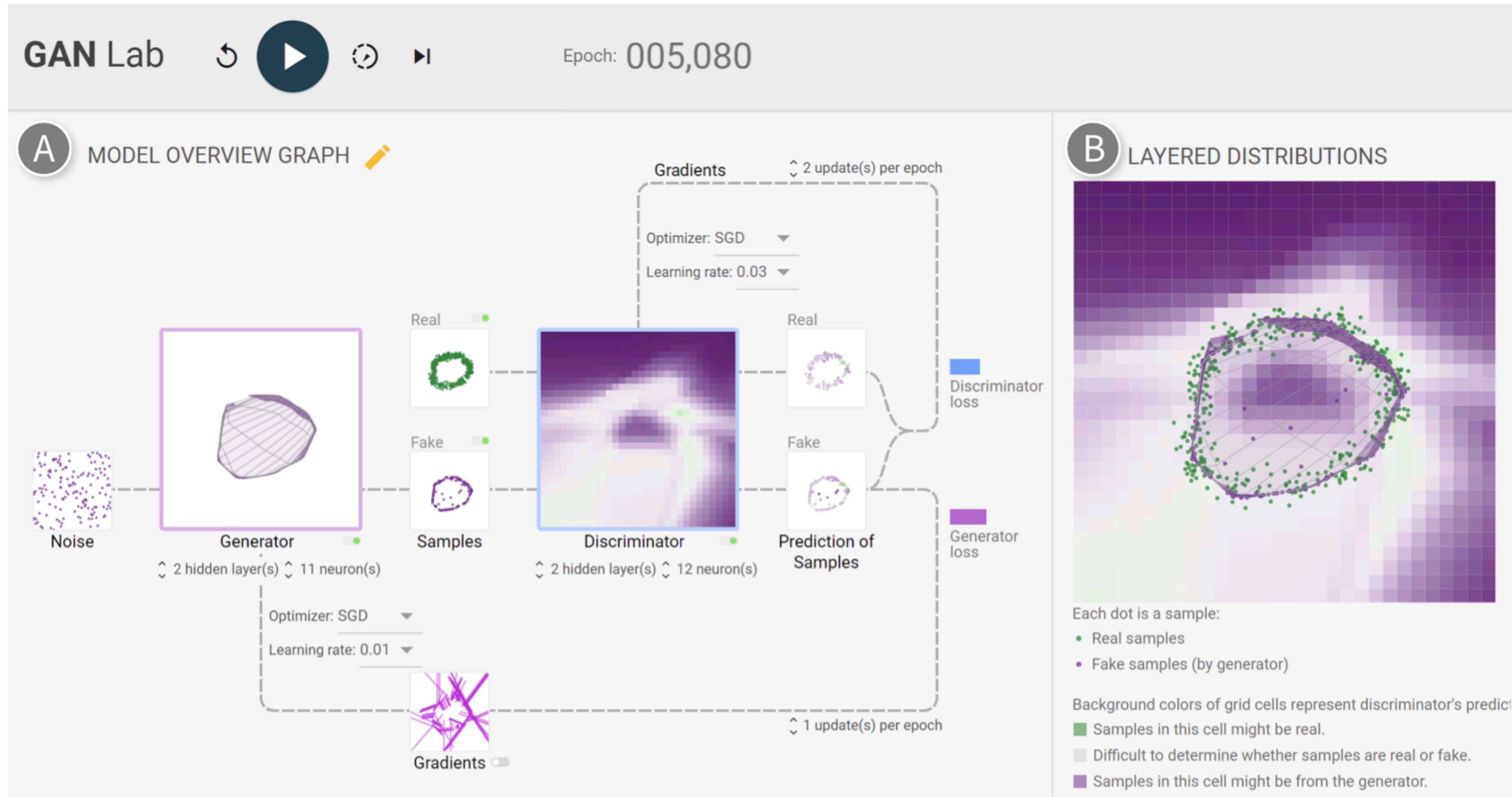


Likelihood free

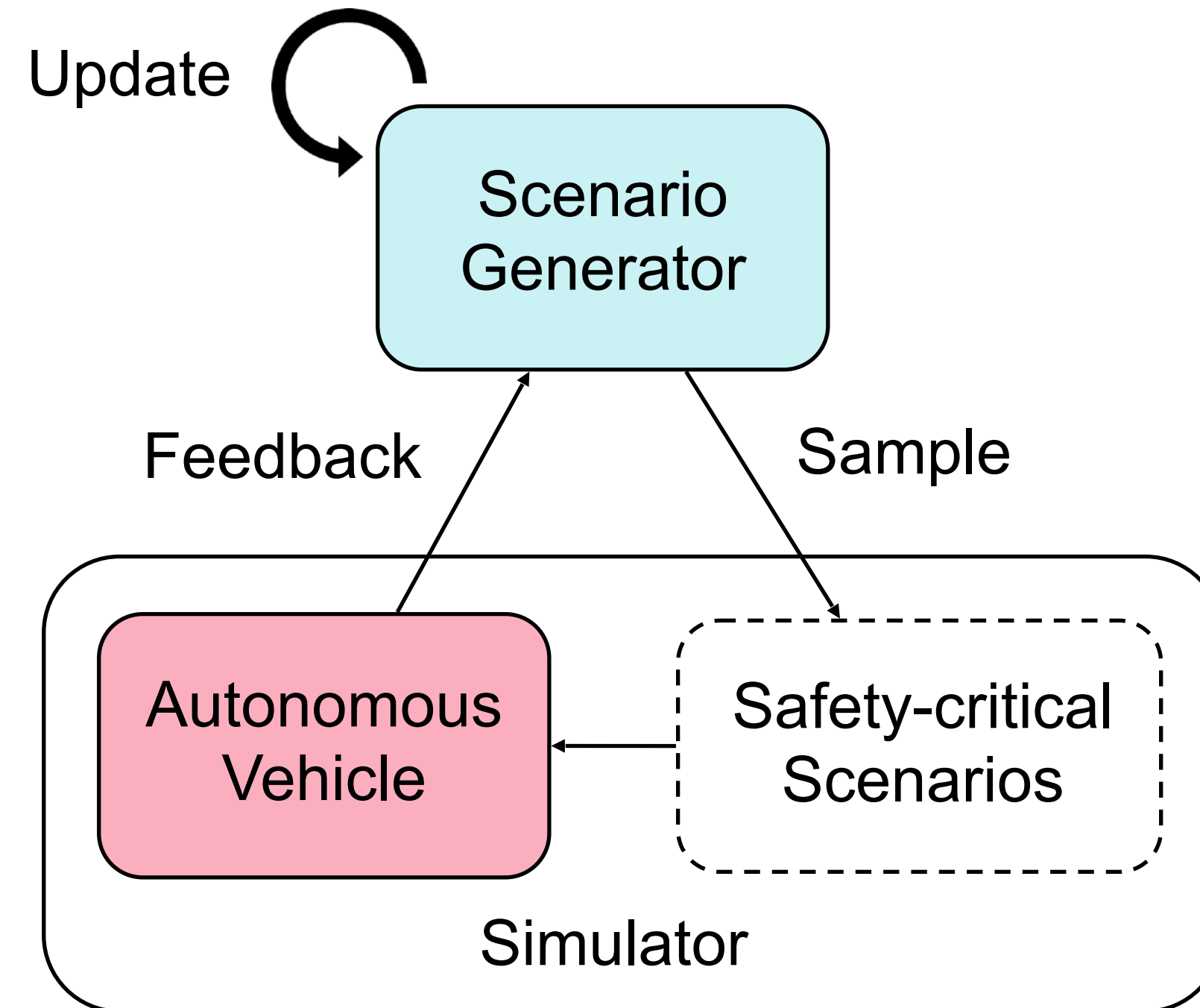
GAN: minimax the classification error loss.



Hands-on time: GAN Lab



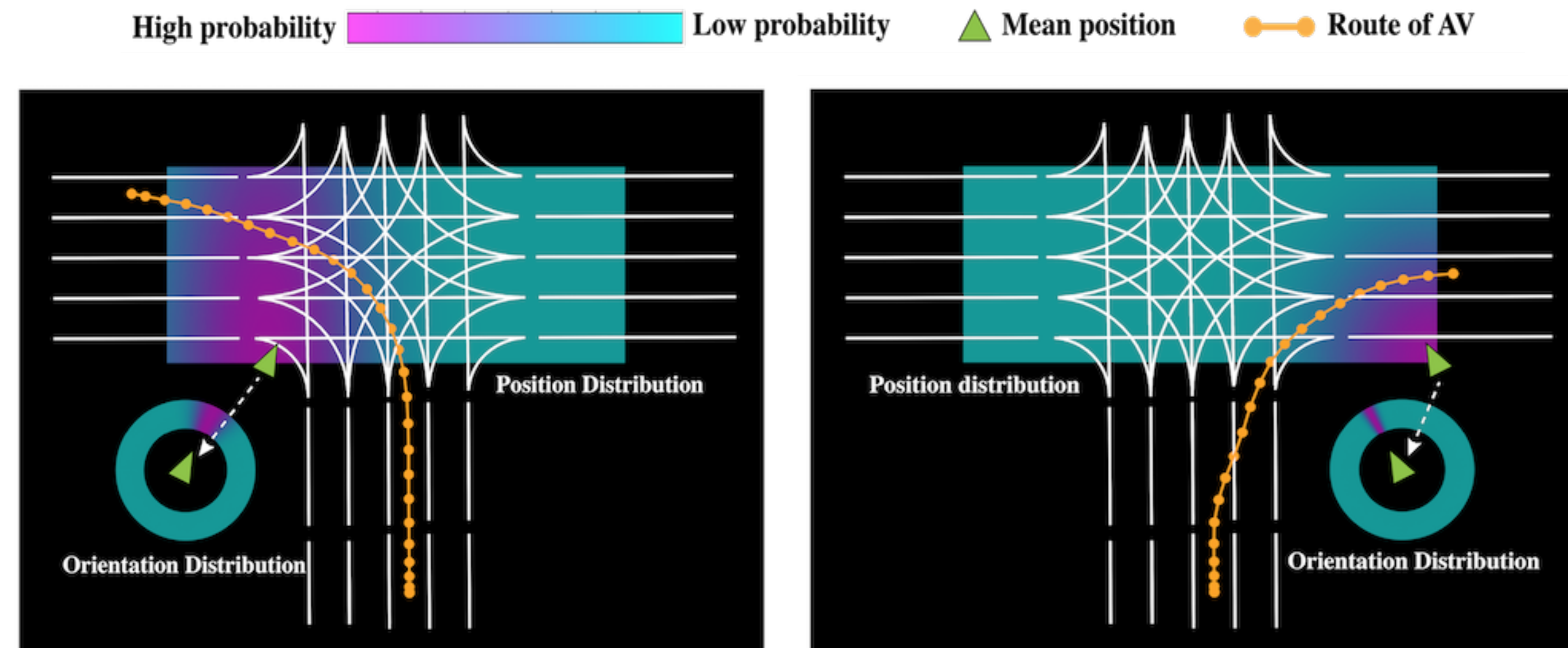
Adversarial Scenario Generation



- Put an autonomous vehicle into the loop to give feedback to the generator.

Adversarial Scenario Generation

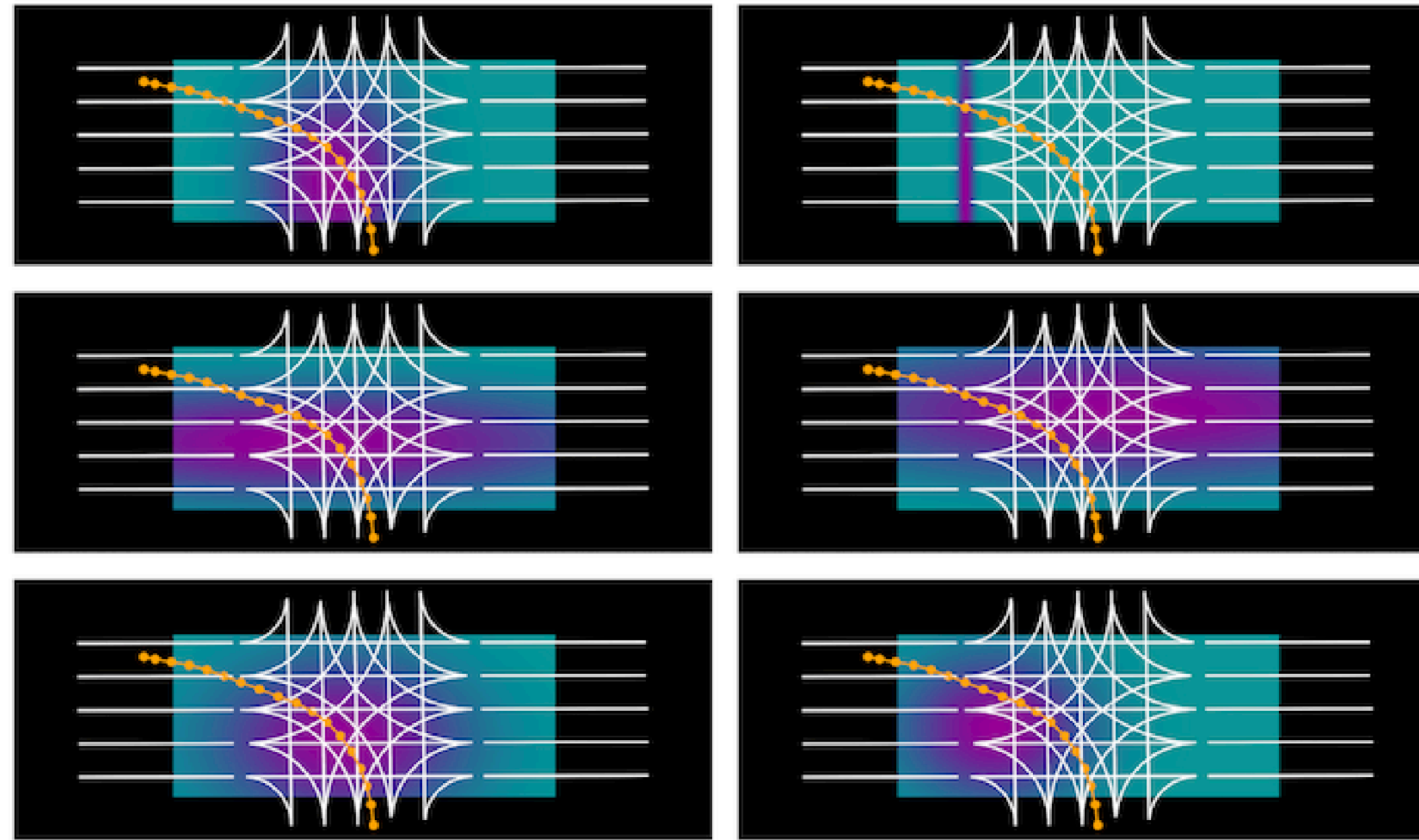
Distribution of learned safety-critical scenarios (initial position and orientation)



- Adaptive to different routes of AV

Adversarial Scenario Generation

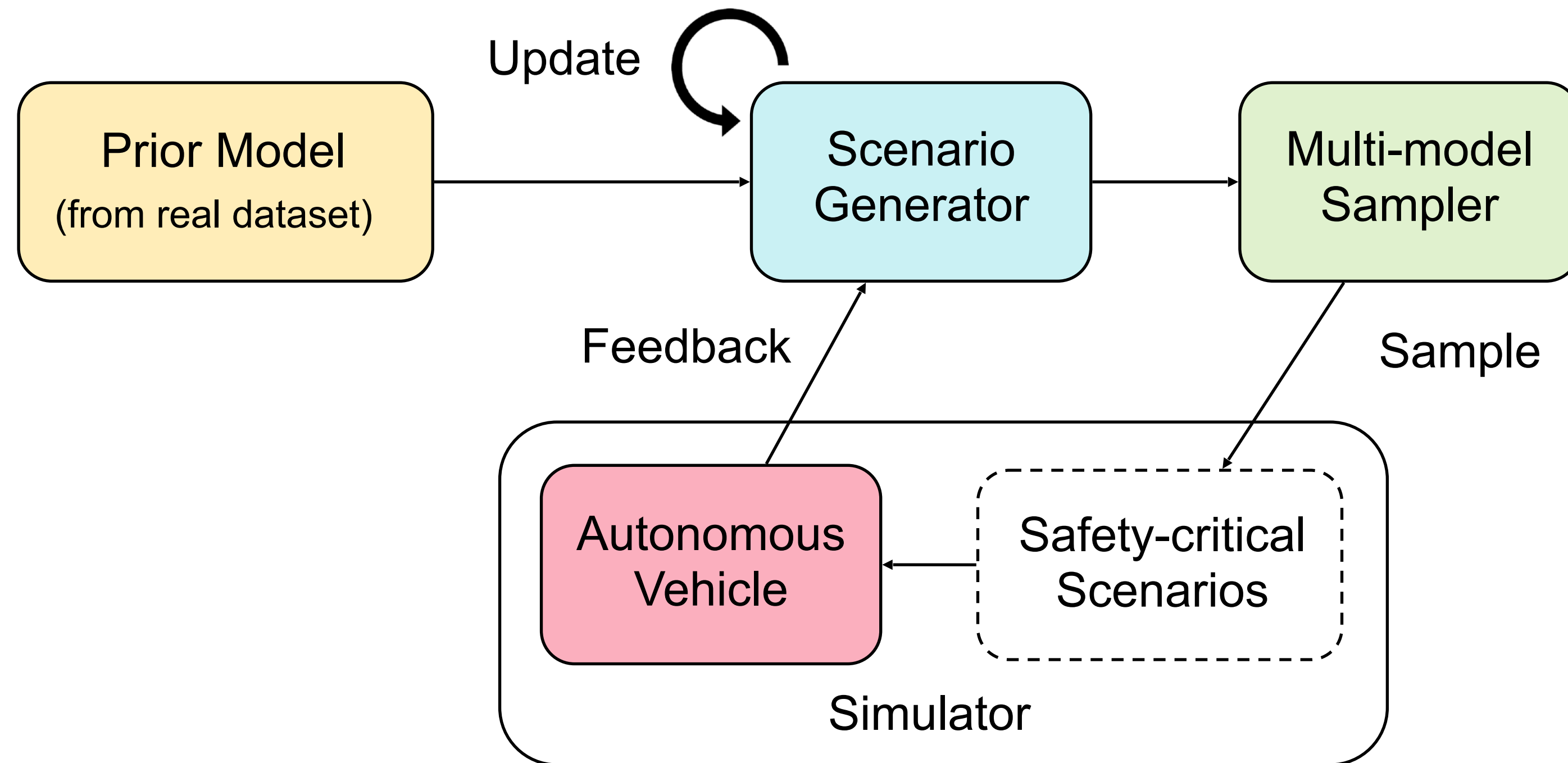
What's the remaining problem ?



Different results with different initialization

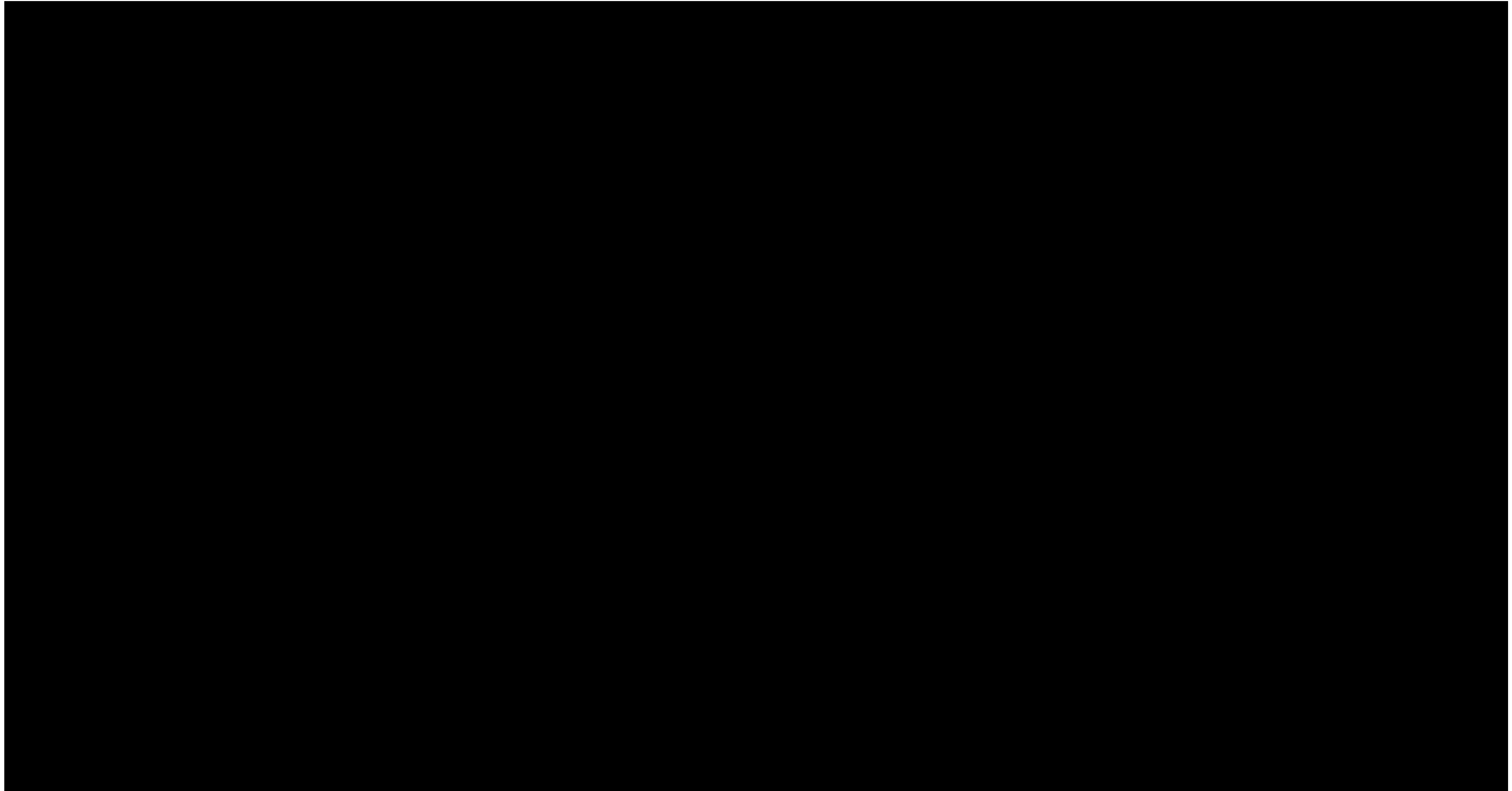
- Safety-critical scenarios are diverse and follow a **multi-modal distribution**.
- Generated Safety-critical scenarios should be **realistic**.

Adversarial Scenario Generation



- Use a prior model to represent the probability of a scenario happen in the real-world.
- Use a **normalizing flow model** to estimate the multi-modal distribution.

Adversarial Scenario Generation



Adversarial Scenario Generation

Summary



- Adaptivity, interact with downstream vehicle
- Considering the real-world data
- Diversity, multi-modal distribution



- Poor generalization, only works for target autonomous vehicle
- Sparse and inefficient, robust vehicle is hard to attack
- Traffic rule violation

11 billion miles

To prove an AV is safer than human drivers

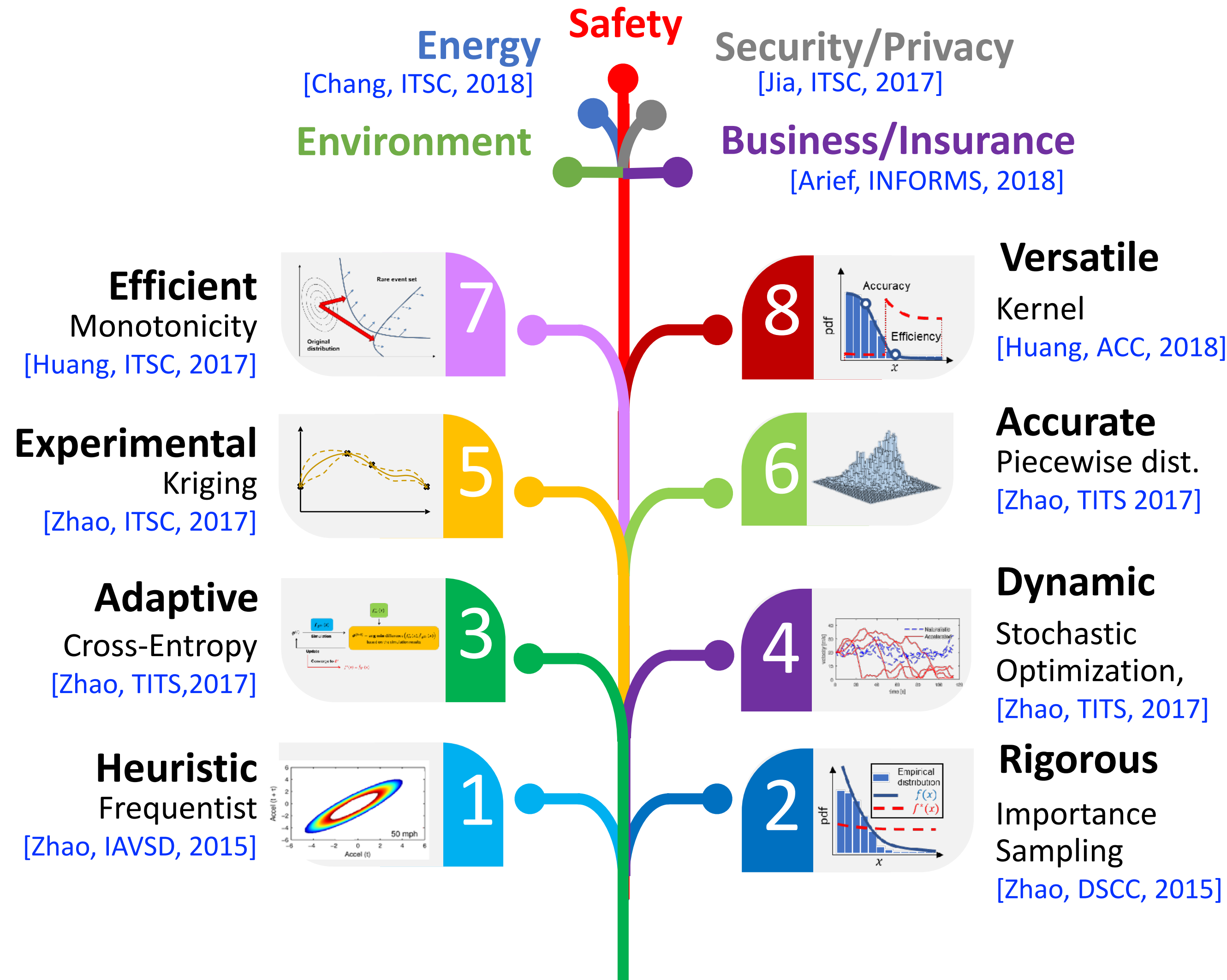
Rare event analysis

Accelerated Evaluation

“Development of provable autonomous vehicle **evaluation approaches** with efficient data collection, unsupervised analysis, and high-dimensional stochastic models of on-road driving environment” (Uber, PI)

“Development of efficient multi-model **annotation and checking tools** based on synthesized learning methods” (Bosch, PI)

“Development of a “primary other **test vehicle**” for the testing and evaluation of high-level automated vehicles” (Toyota, Co-PI)



From the Lab to the Street: Solving the Challenge of Accelerating Automated Vehicle Testing

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EXECUTIVE SUMMARY

As automated vehicles and their technology become more advanced and technically sophisticated, it is essential to measure the safety and reliability of these vehicles. This paper discusses accurate



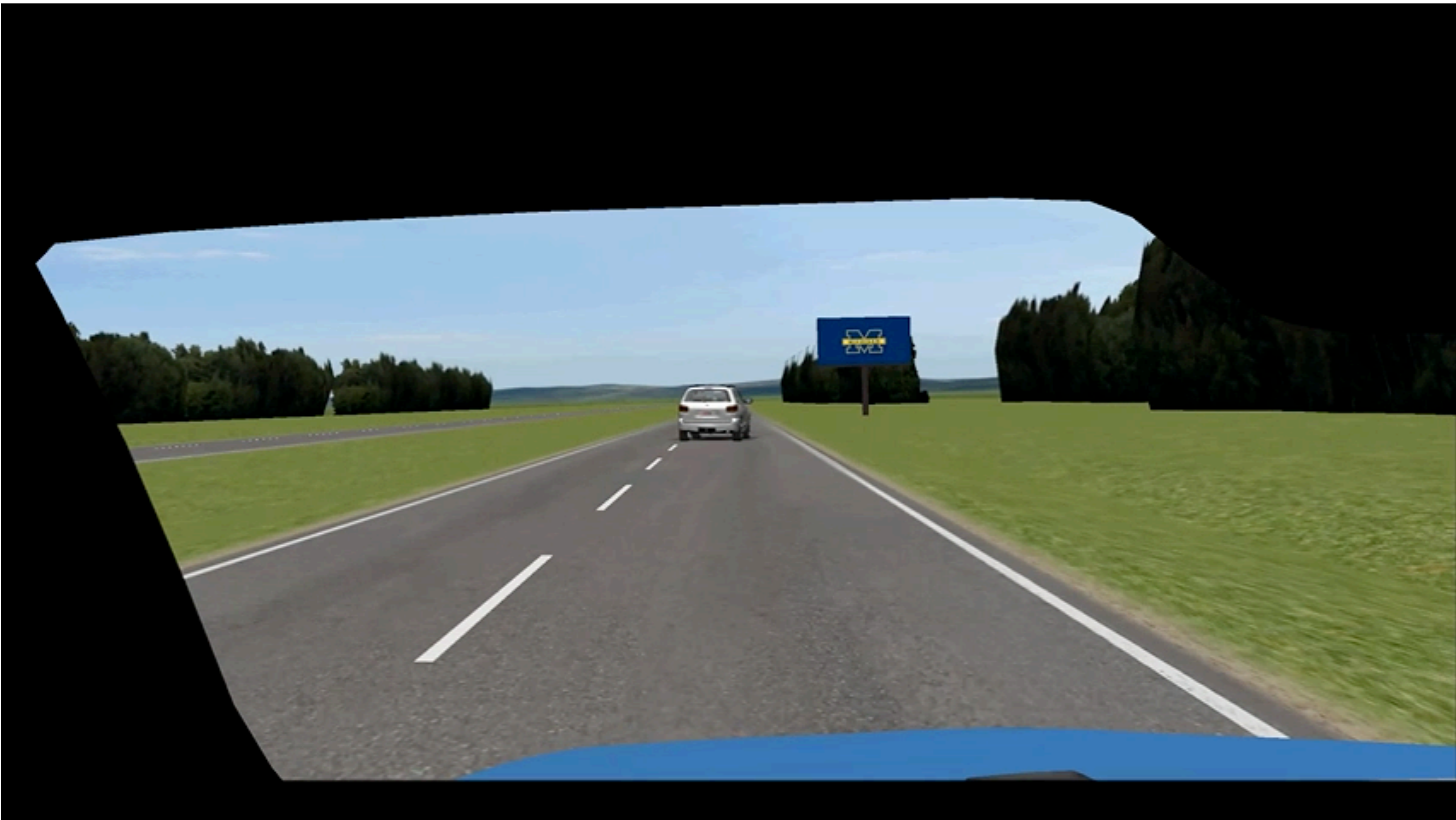
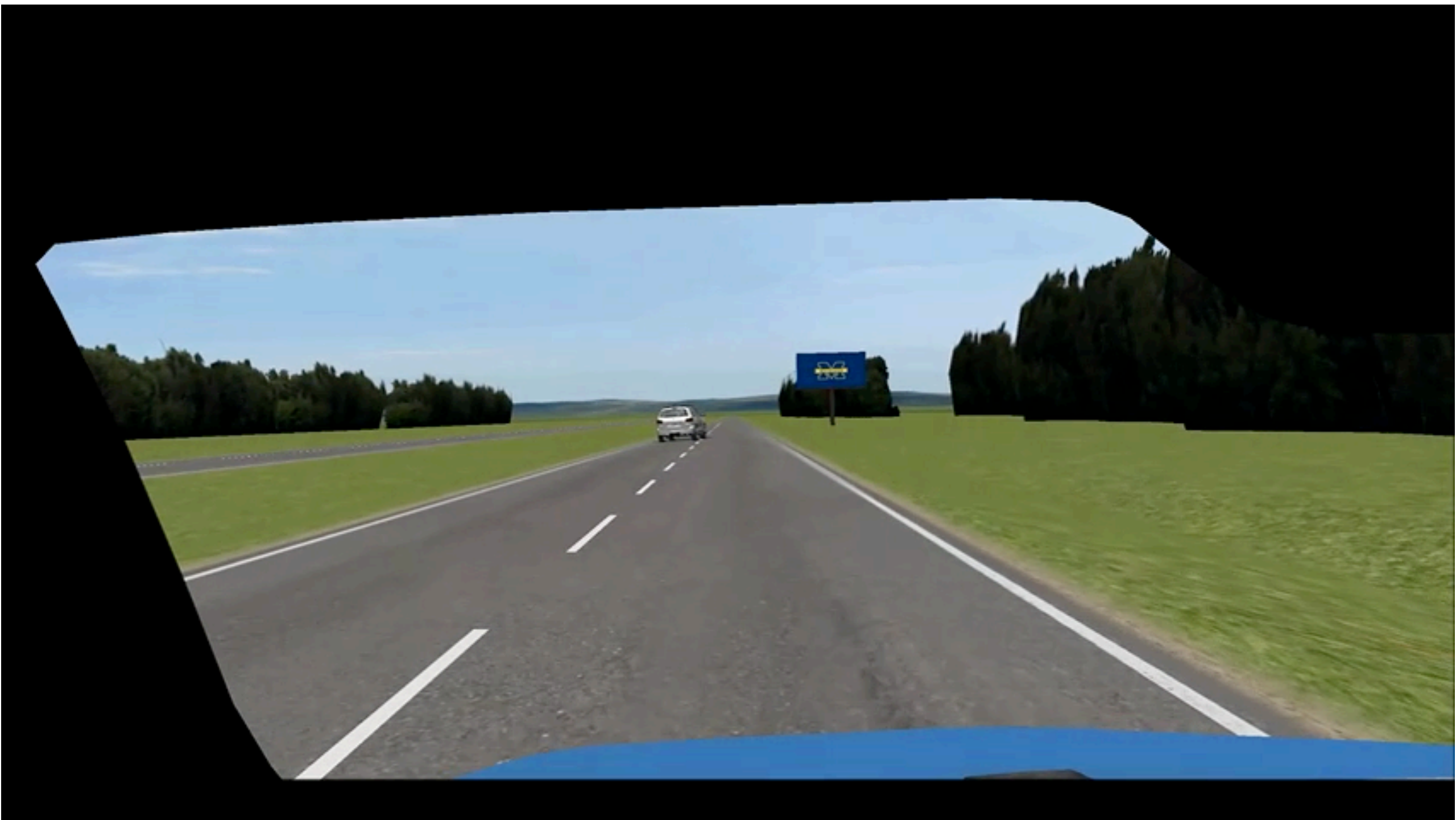
Key idea

- Give more test budgets to scenarios that may most likely fail AVs and also most likely happen in the real world
 - Likelihood of scenario in the real world \leftarrow models of real world data
 - Likelihood of failure \leftarrow AV-in-the-loop tests (physical/simulation)

Naturalistic environment vs accelerated environment

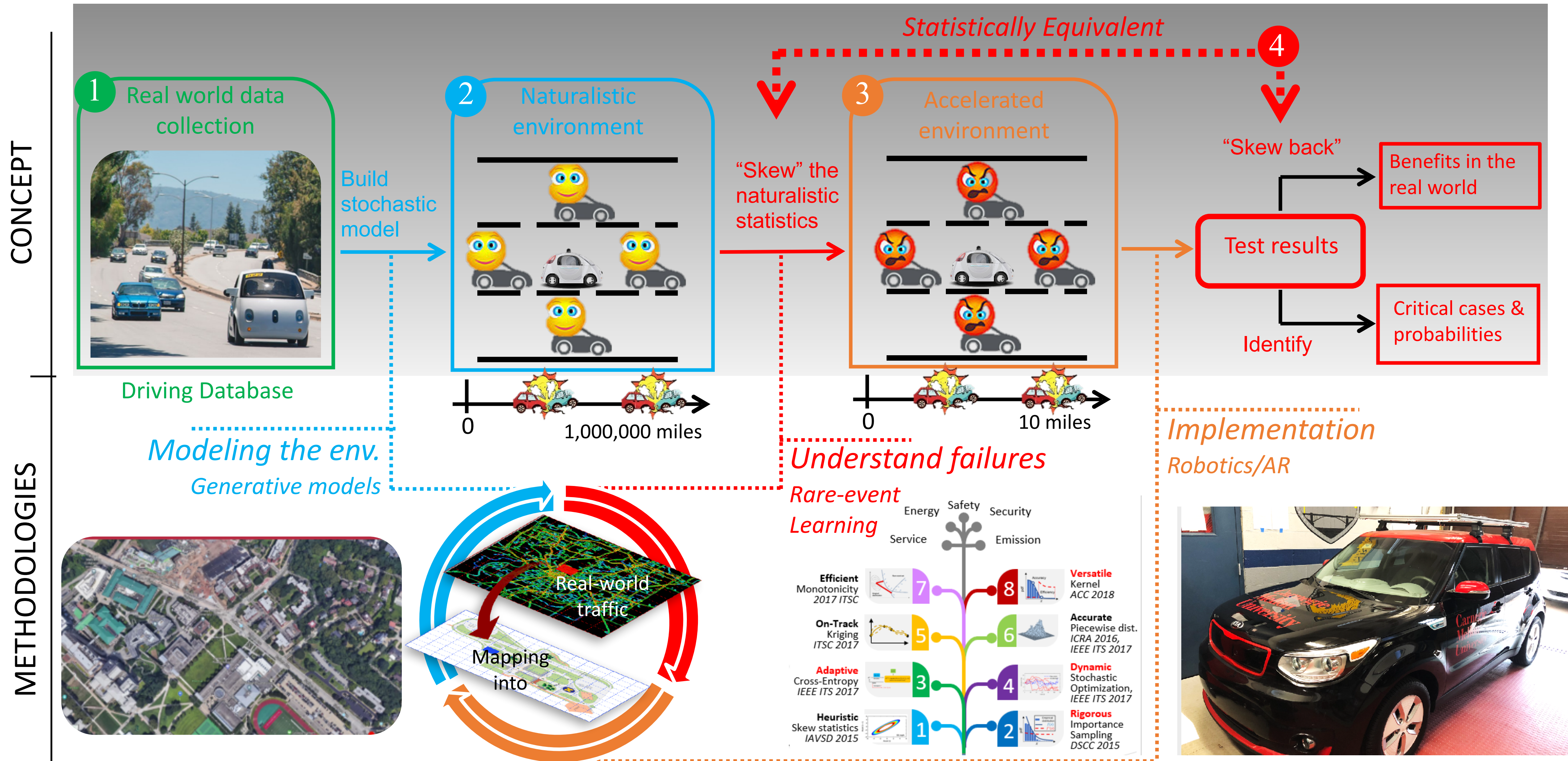
Naturalistic Environment

Accelerated Environment





Accelerated Evaluation



Zhao, "Accelerated Evaluation of Automated Vehicles Safety in Lane-Change Scenarios Based on Importance Sampling Techniques", IEEE ITS, 2017.

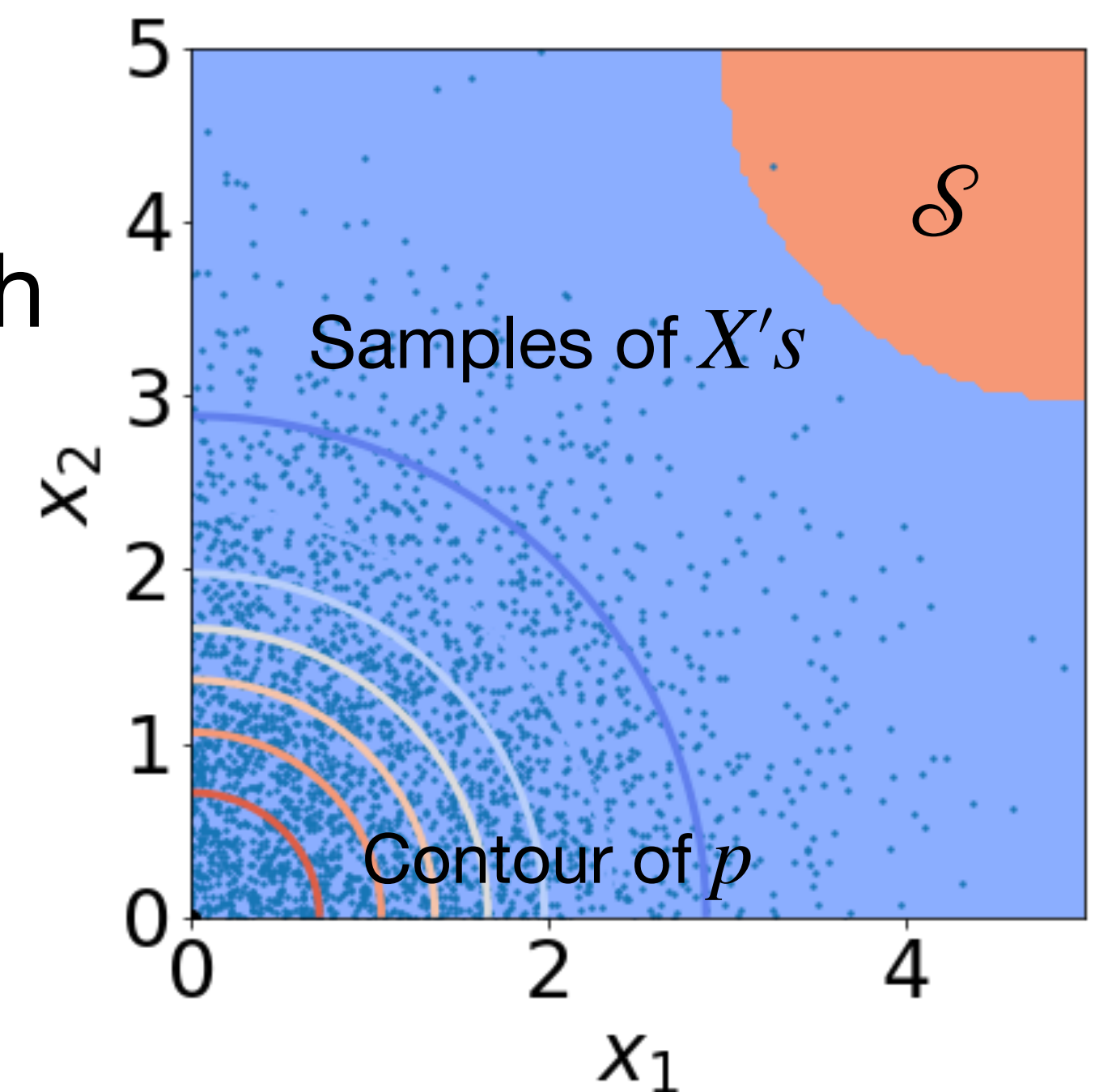
Probabilistic Adversarial Sampling

- Suppose we want to estimate the probability of dangerous events \mathcal{S}
- Input: X = random initial distance and relative velocity
- Output: Y = simulation outcome, either crash or not crash

$$Y = f(X) = \begin{cases} 1, & \text{crash} \\ 0, & \text{not crash} \end{cases}$$

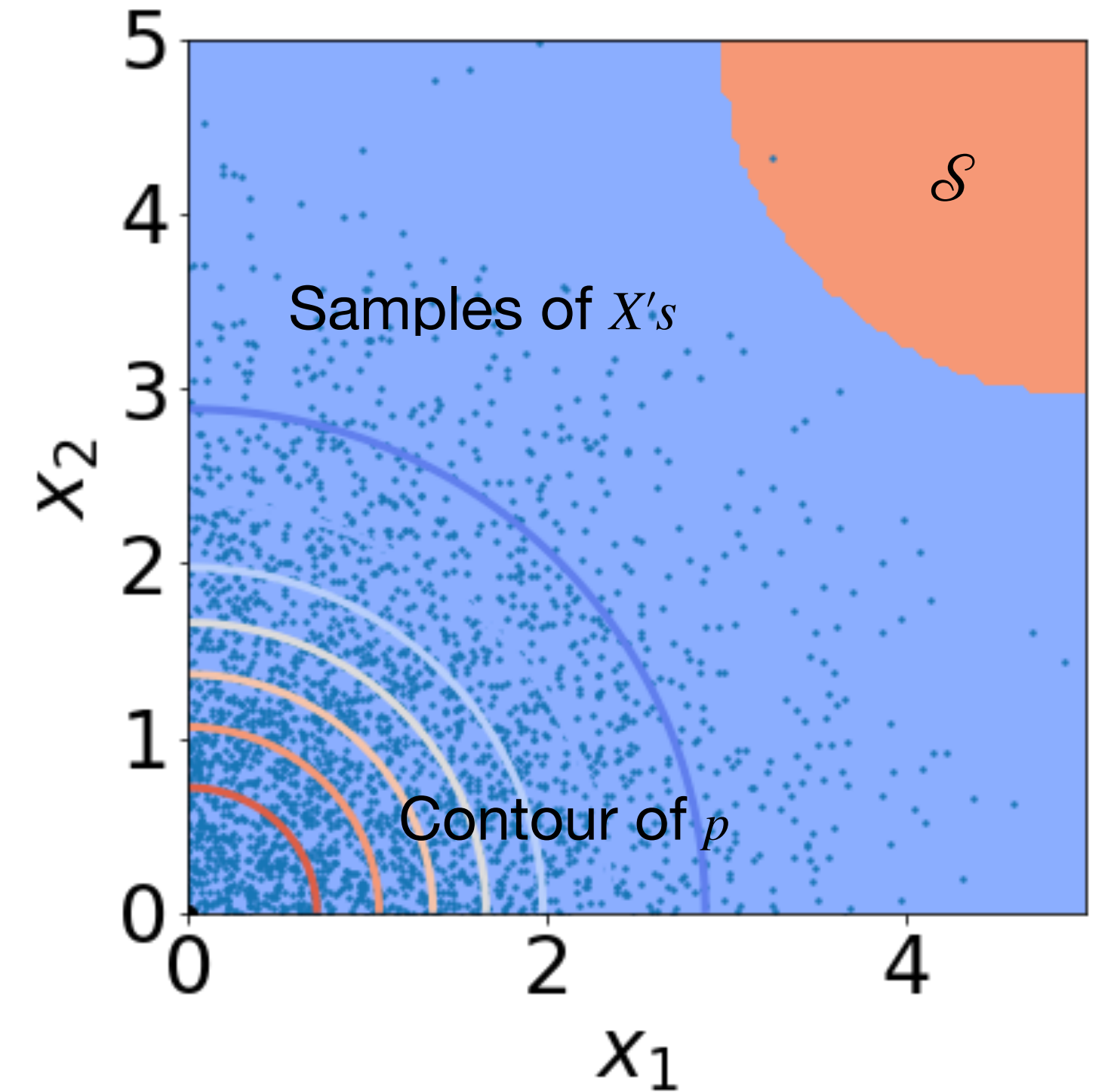
- Crash or dangerous set: $\mathcal{S} = \{X : f(X) = 1\}$

- Goal: Estimating $\mu = P(Y = 1) = P(X \in \mathcal{S}) = \mathbb{E}_{X \sim p}[1(X \in \mathcal{S})]$



Monte Carlo (MC) sampling

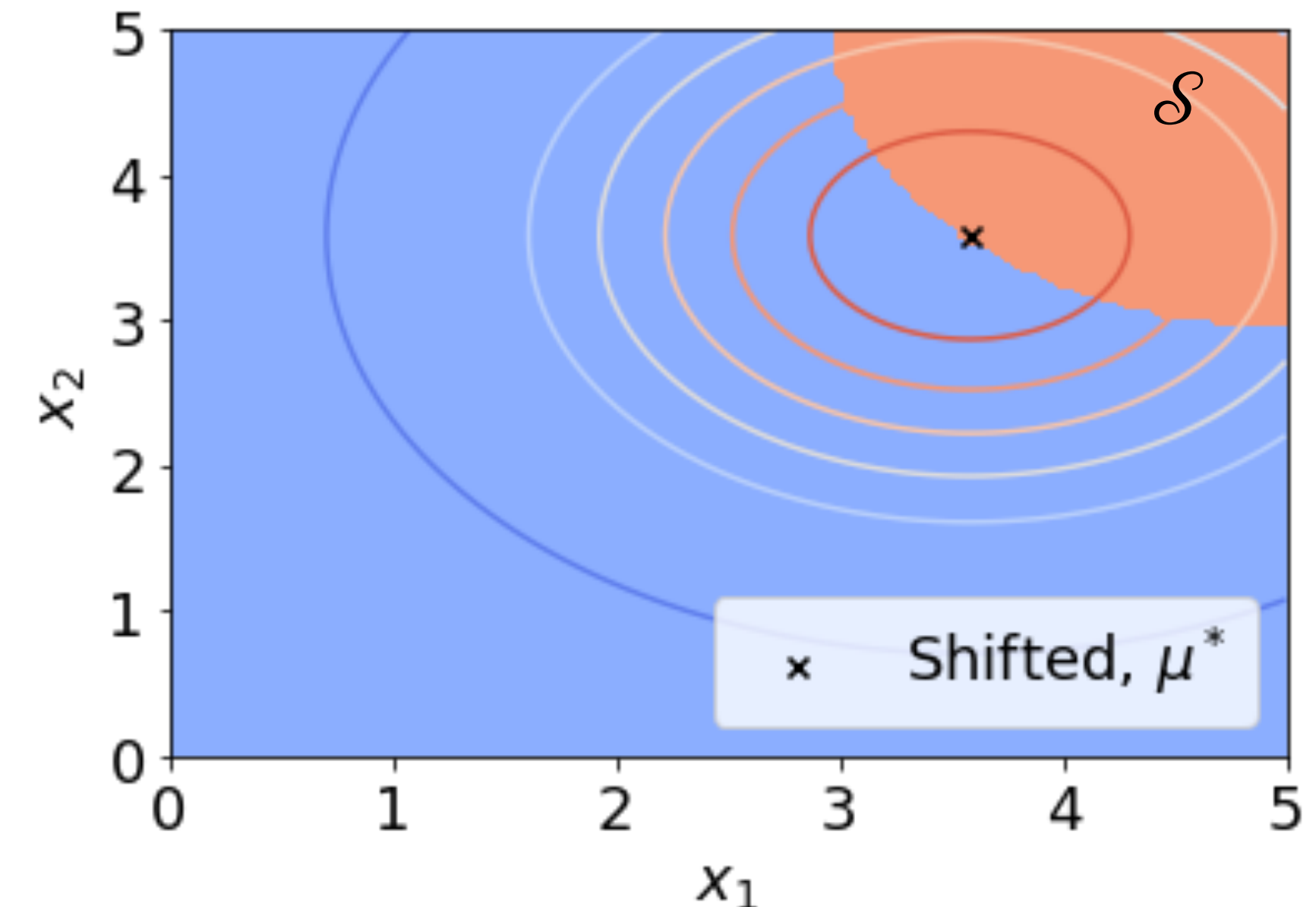
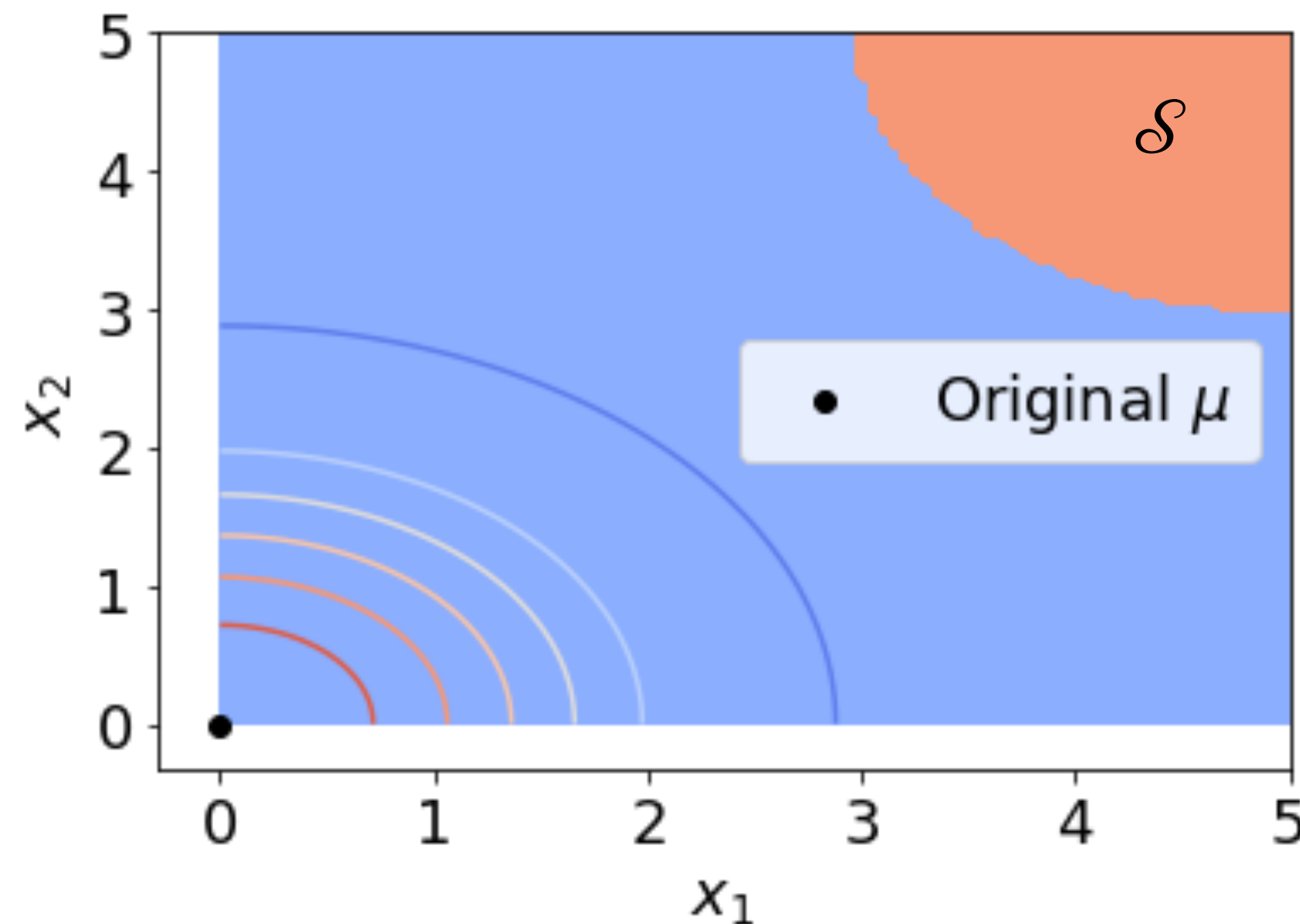
- Monte Carlo procedure for estimating $\mu = \mathbb{E}_{X \sim p}[1(X \in \mathcal{S})]$:
 - generate n i.i.d samples $X^{(1)}, X^{(2)}, \dots, X^{(n)}$, where $X^{(i)} \sim p$
 - observe $Y^{(1)}, Y^{(2)}, \dots, Y^{(n)}$, where $Y^{(i)} = f(X^{(i)})$
 - compute sample average (MC estimator) $\hat{\mu}_n = \frac{1}{n} \sum_{i=1}^n Y^{(i)}$
- Note that
 - $\mathbb{E}_{X \sim p}[\hat{\mu}_n] = \int f(x)p(x)dx = \mu$ (unbiased)
 - $\text{Var}(\hat{\mu}_n) = \frac{\mu(1 - \mu)}{n}$ (shrinking in n)



Probabilistic Accelerated evaluation: Framework

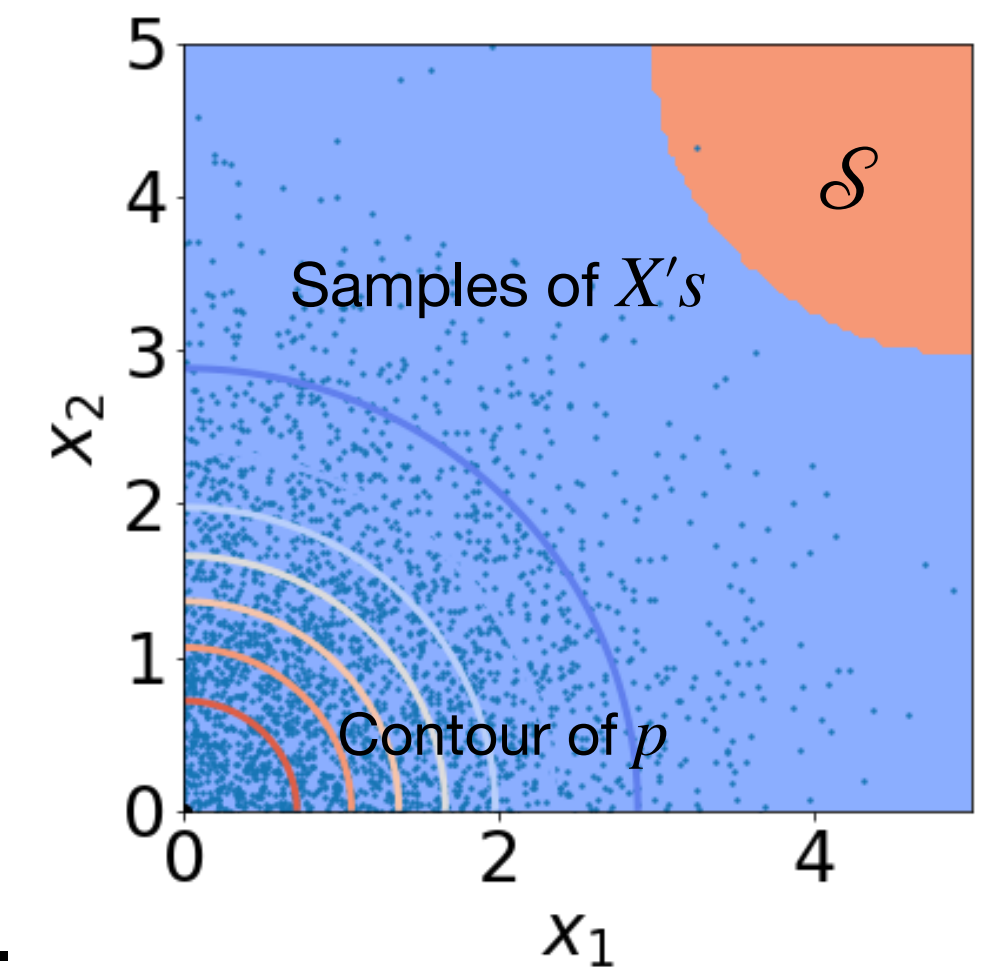
- Four elements: $\langle f, p, \mathcal{S}, q \rangle$
 - Design of q is related to key characteristics of the problem $\langle f, p, \mathcal{S} \rangle$
 - If \mathcal{S} has a single dominating point, an analytical efficient solution can be found

found



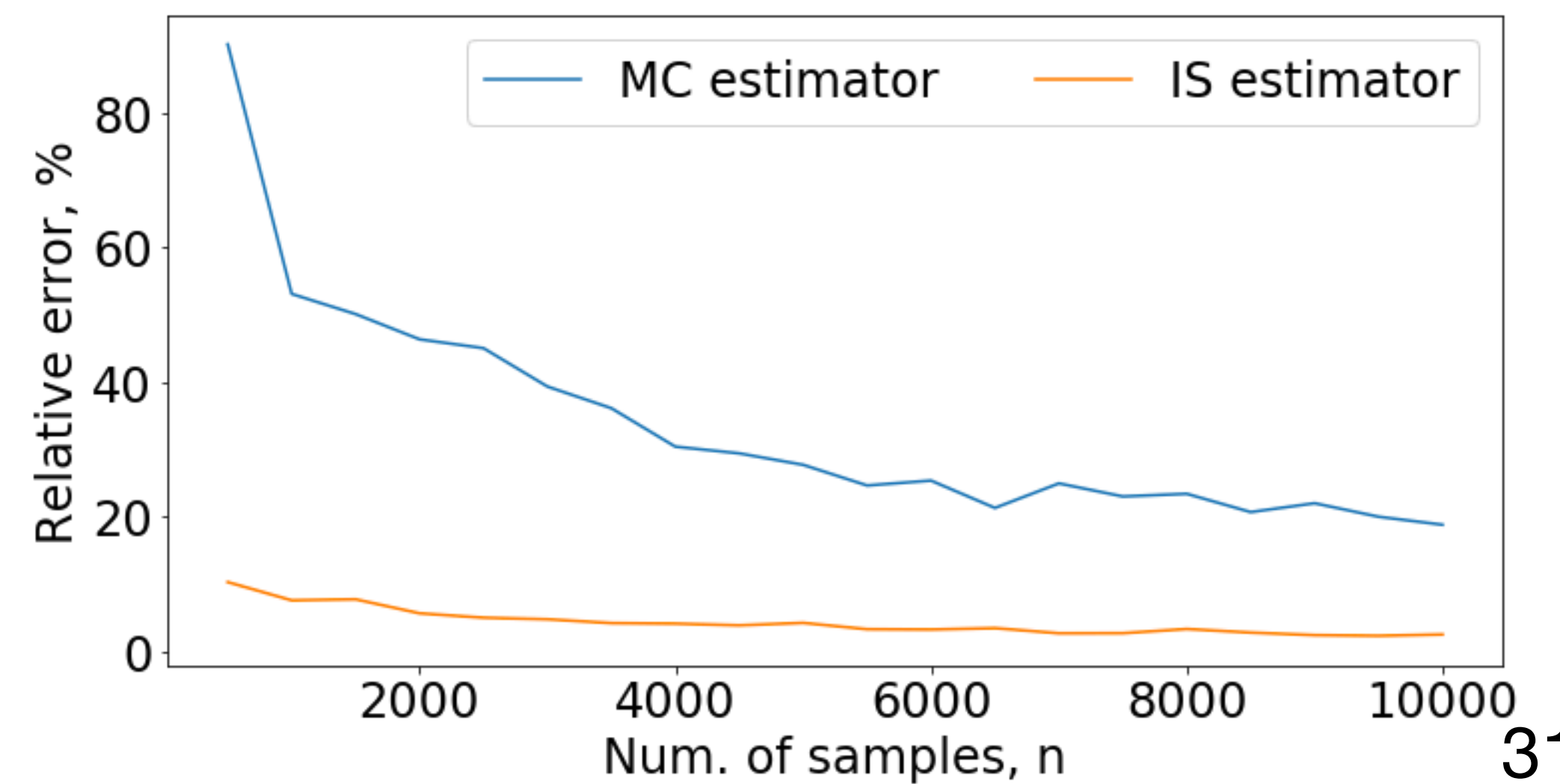
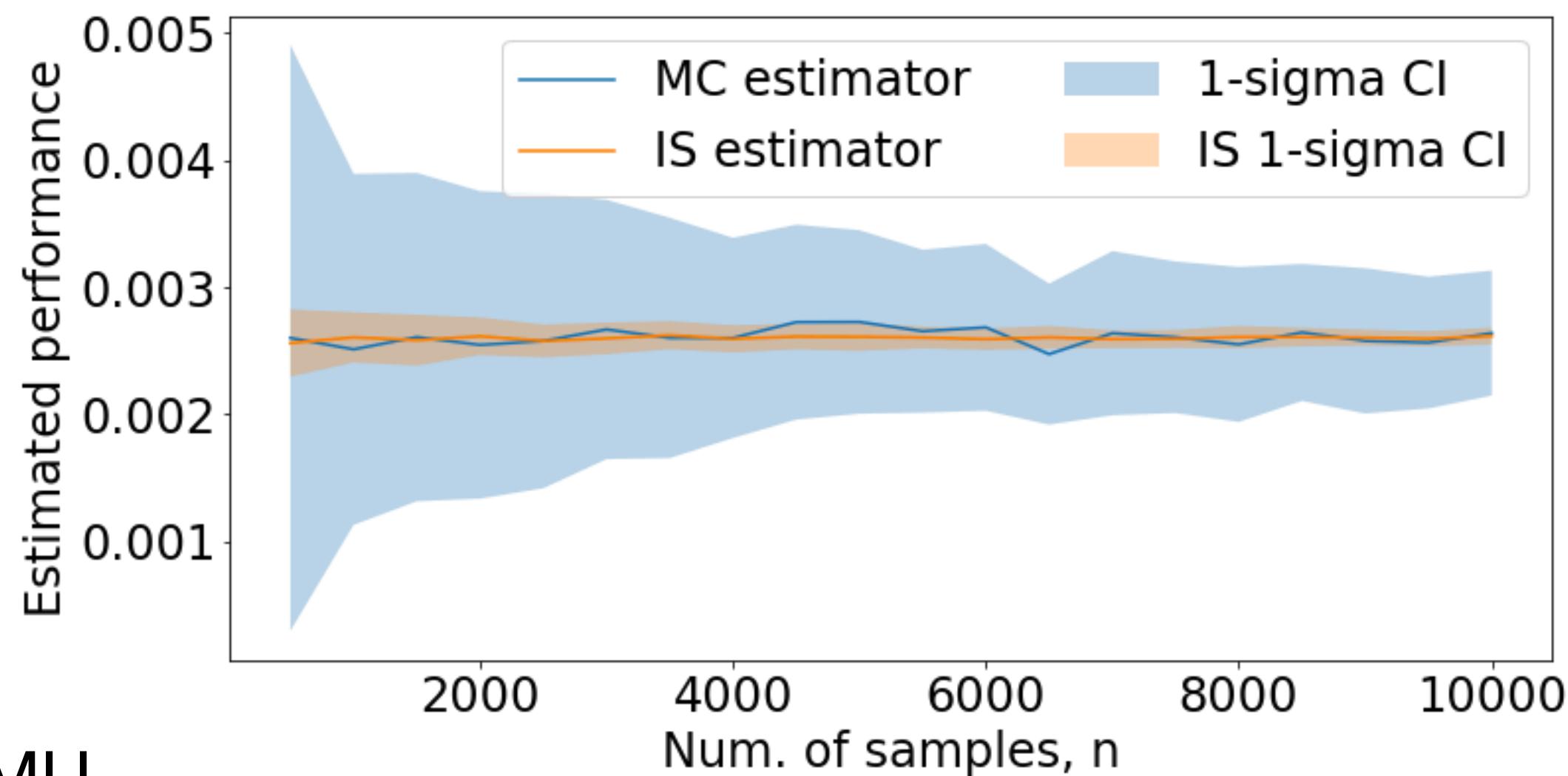
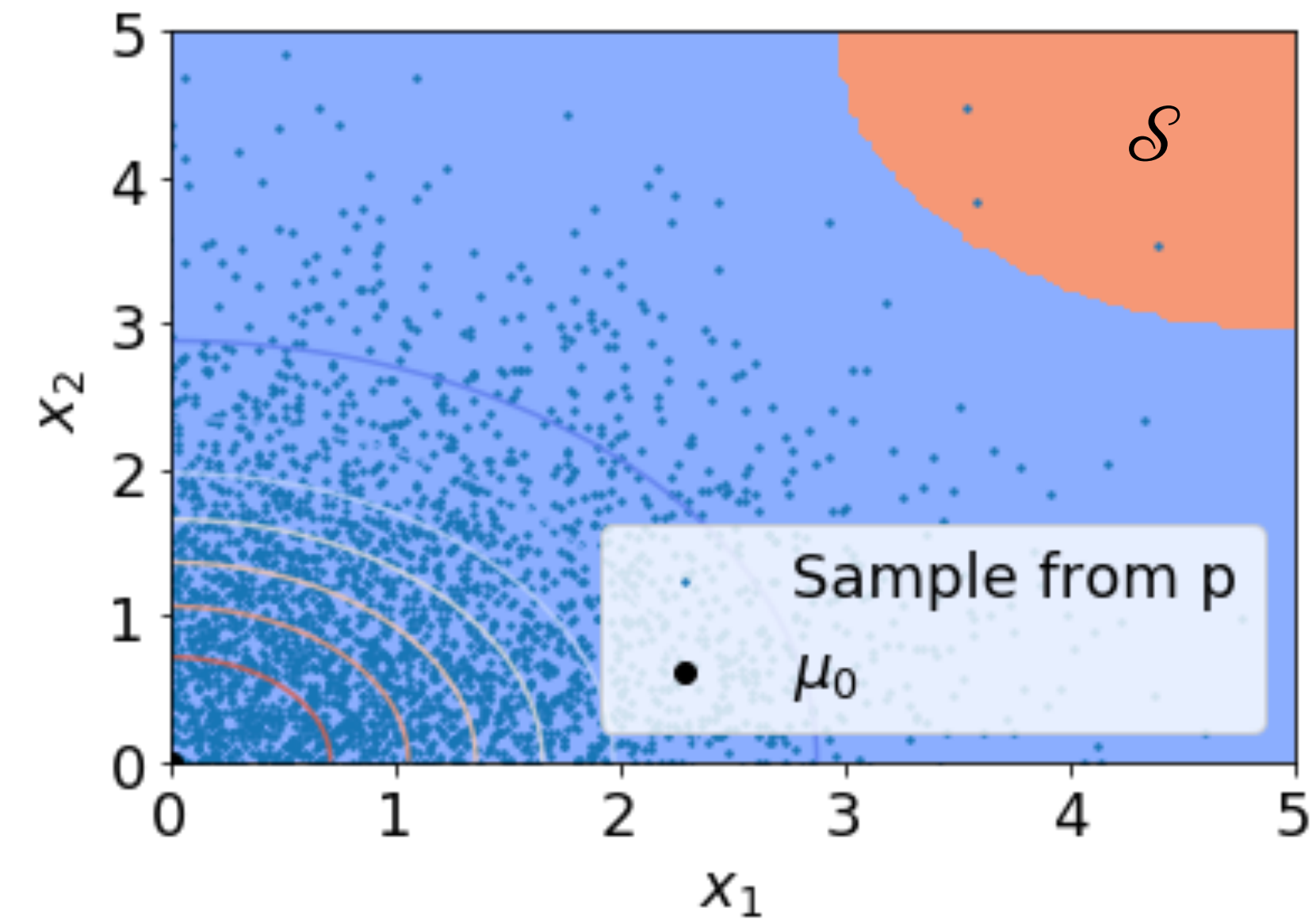
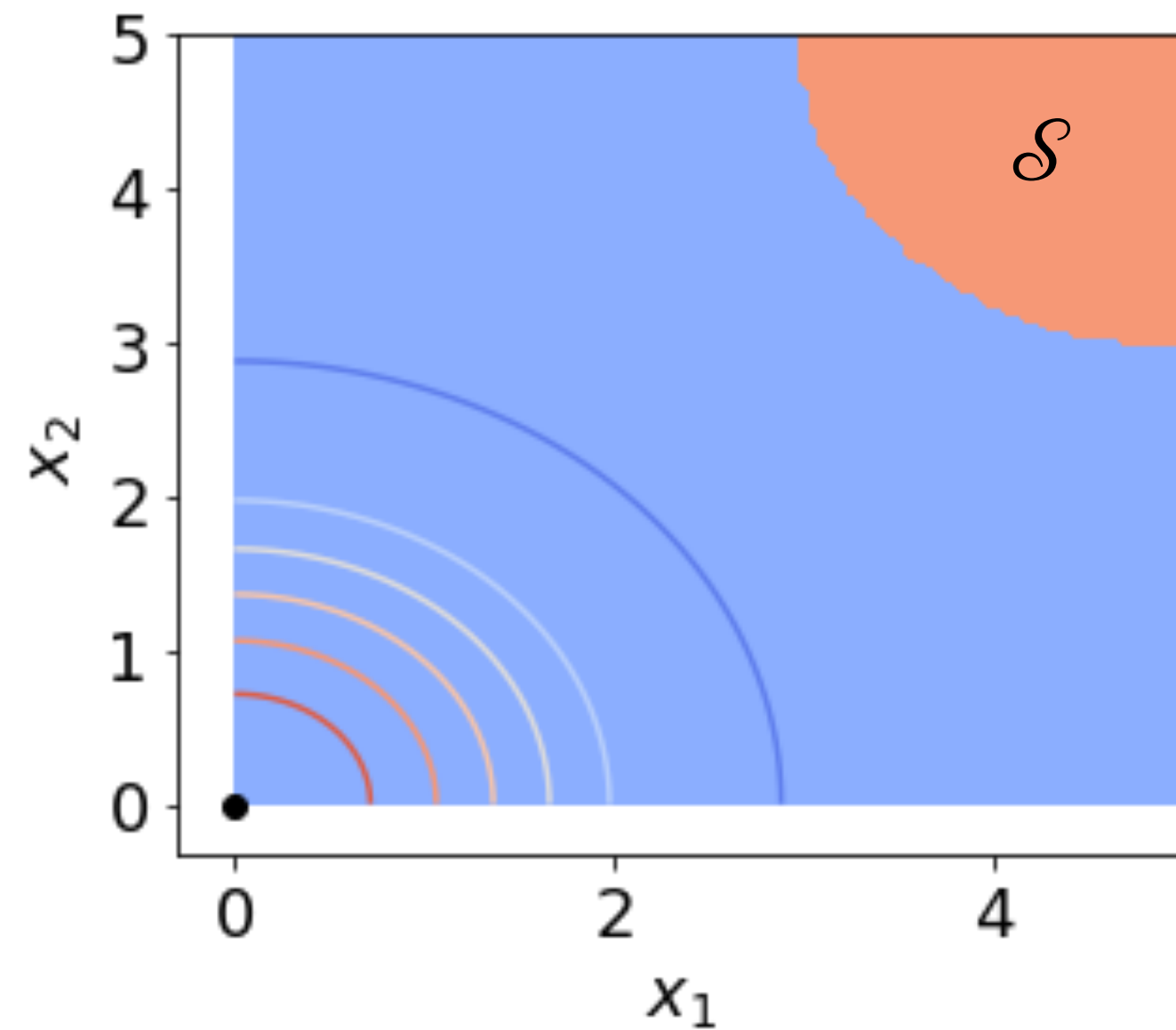
Importance Sampling (IS)

- IS procedure for estimating $\mu = \mathbb{E}_{X \sim p}[1(X \in \mathcal{S})]$:
 - generate n i.i.d samples $X^{(1)}, X^{(2)}, \dots, X^{(n)}$, from another distribution
 $X^{(i)} \sim \tilde{p}$
 - observe $Y^{(1)}, Y^{(2)}, \dots, Y^{(n)}$, where $Y^{(i)} = f(X^{(i)})$
 - compute likelihood ratio $W^{(1)}, W^{(2)}, \dots, W^{(n)}$, where $W^{(i)} = \frac{p(X^{(i)})}{\tilde{p}(X^{(i)})}$
 - compute weighted average (IS estimator) $\hat{\mu}_n = \frac{1}{n} \sum_{i=1}^n Y^{(i)} W^{(i)}$
- Note that $\mathbb{E}_{X \sim \tilde{p}}[\hat{\mu}_n] = \int f(x) \left(\frac{p(x)}{\tilde{p}(x)} \right) \tilde{p}(x) dx = \int f(x) p(x) dx = \mu$
(unbiased)



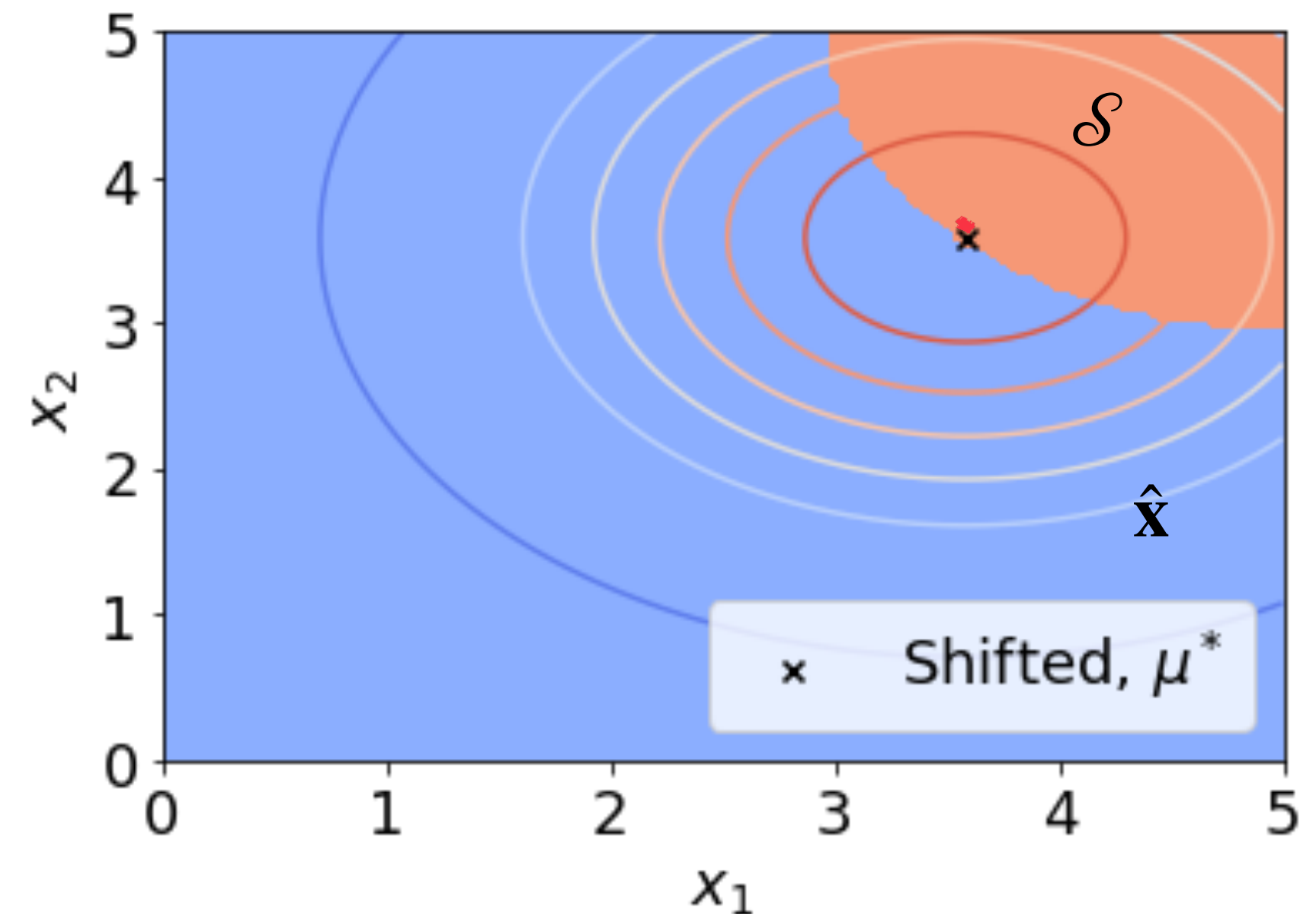
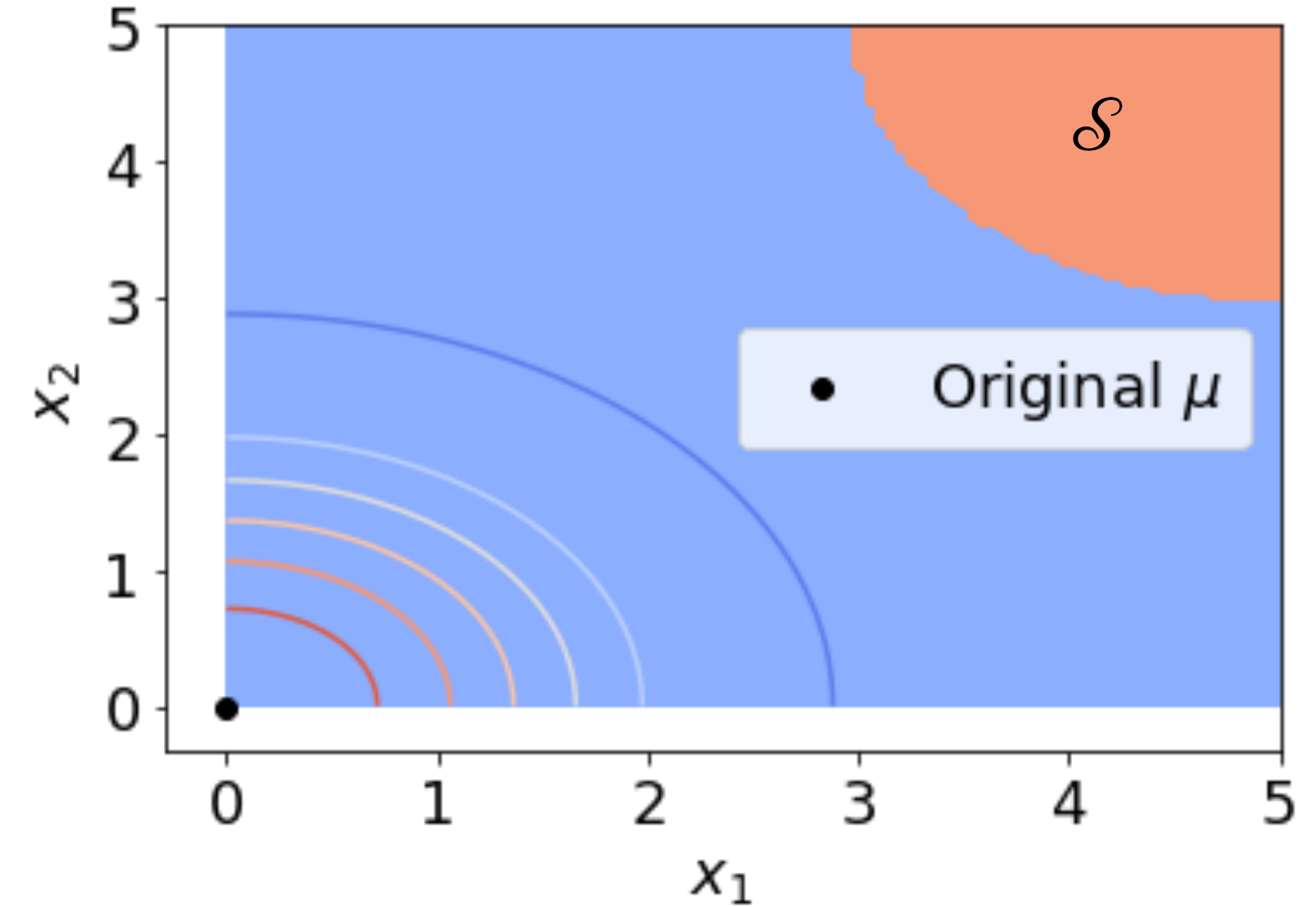
Deep IS: Toy Example

- **Example:** Suppose we want to estimate the probability $\mu_Y = \mathbb{E}[f(X)] = P(X \in \mathcal{S})$ for some set $\mathcal{S} \subset \mathbb{R}^2$. Suppose that $X \sim p$ where p is a Gaussian centered at $[0, 0]$.



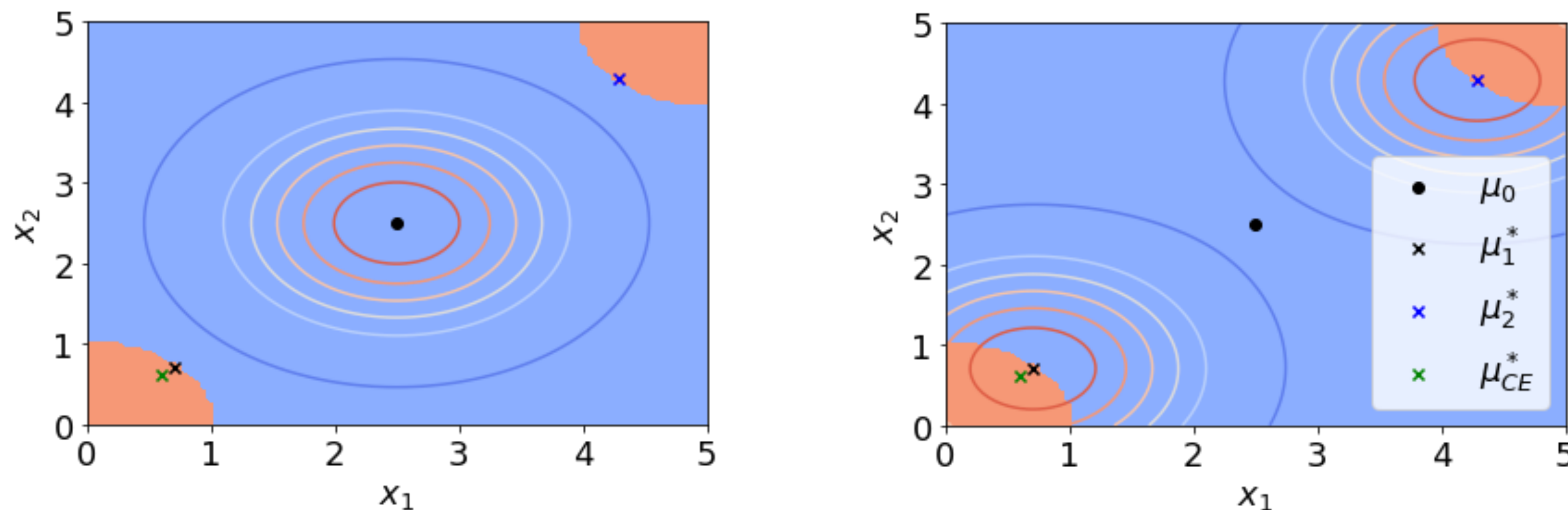
Dominant points

- Dominating point x^* of the set \mathcal{S} with respect to density p is defined as $x^* = \arg \max_{x \in \mathcal{S}} p(x)$



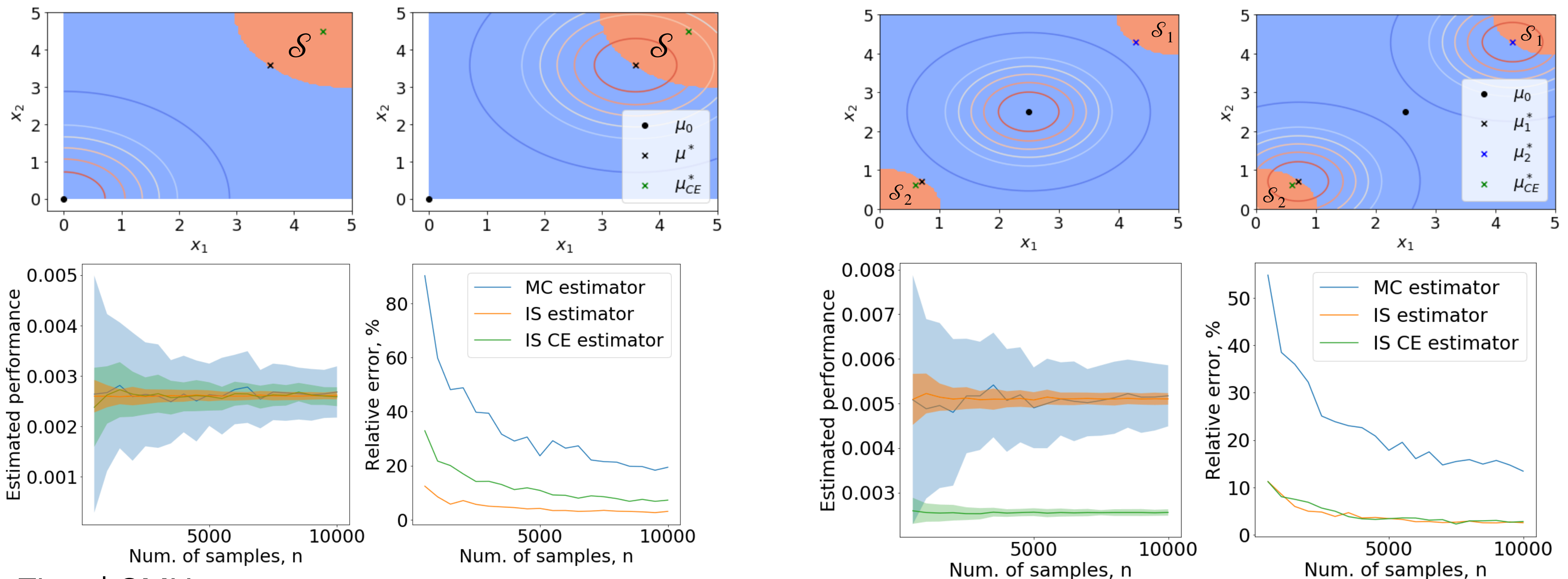
Multiple dominating points issue with iterative methods (CE)

- One of the main challenges with the traditional iterative methods (Cross Entropy) is selecting and optimizing over the parametric class $\mathcal{Q} = \{q_\theta, \forall \theta \in \Theta\}$
- An overly simple \mathcal{Q} may result in a biased estimator, e.g. in multiple dominating point \mathcal{S} case



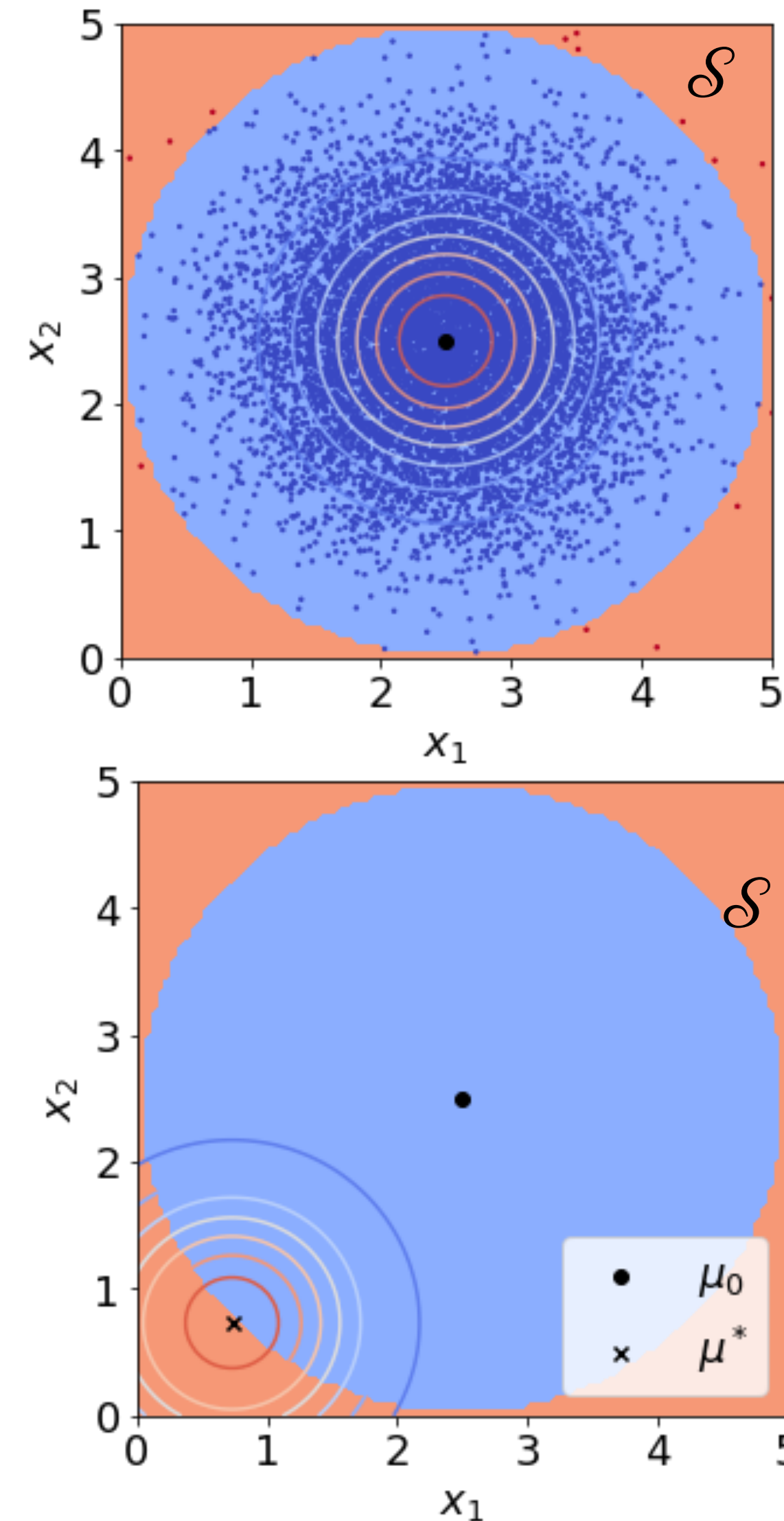
GMM-PrAE: Using GMM for the multiple dominating points case

- If $\mathcal{S} = \cup_{j=1}^J \mathcal{S}_j$ in which all \mathcal{S}_j 's are convex, then a Gaussian Mixture (GMM) with component means shifted to cover all \mathcal{S}_j 's is efficient



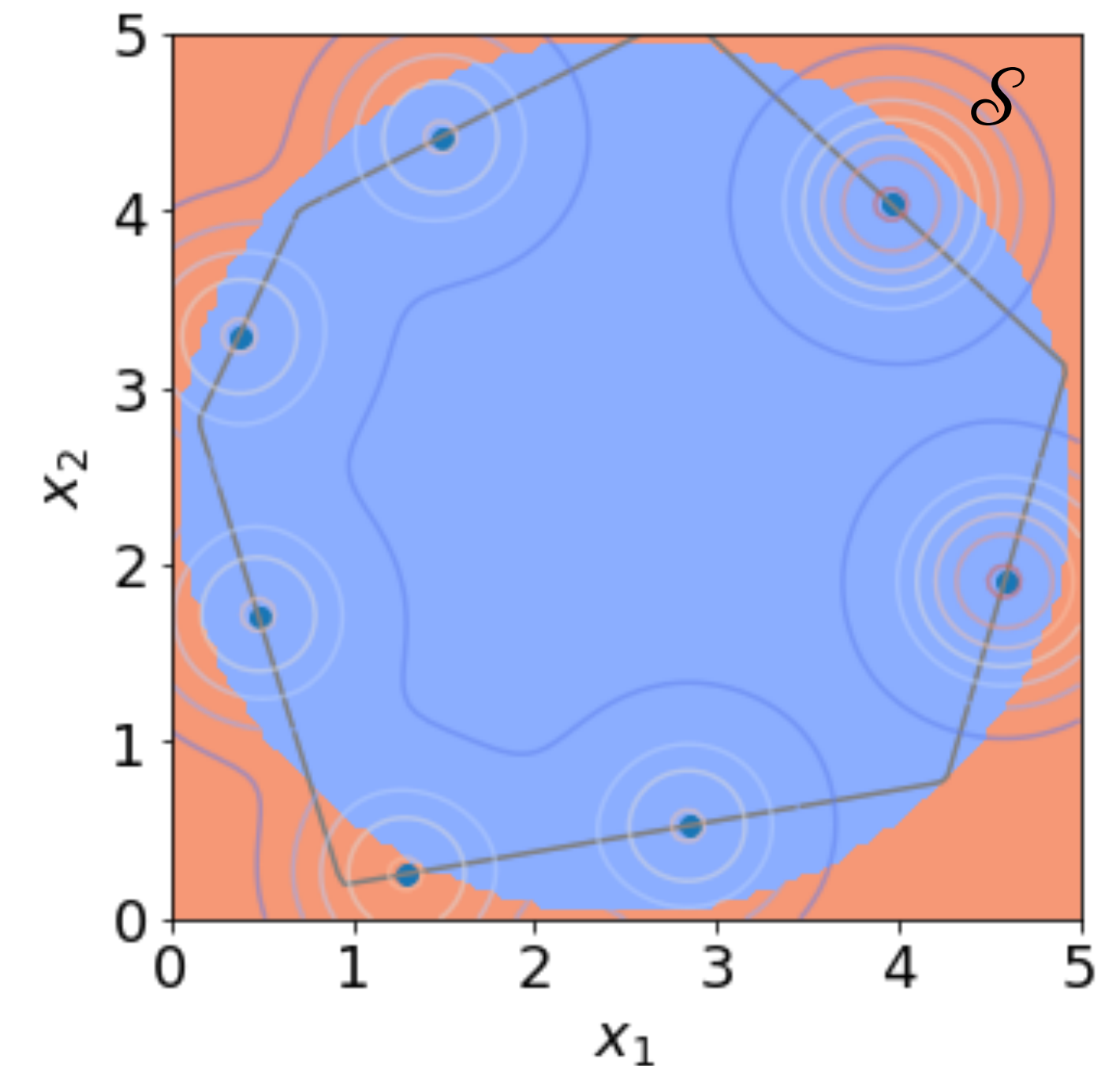
What if there exist a lot of (infinite) dominating points?

- What about other cases? \mathcal{S} may have no or infinite dominating points
- Previous approach would suggest infinite-component GMM



Deep-IS: Deep learning based PrAE

- Designing q via deep learning classifier for monotonic rare-event set
 - Train a conservative classifier with piecewise linear decision boundary (ReLU)
 - Sufficiently prune or simplify the model
 - Find the dominating point w.r.t. classifier decision boundary and p
 - Construct GMM-based q with these dominating points



Summary

- Adversarial scenario generation
 - GAN
 - GAN+prior
 - IS-based method (Accelerated Evaluation)

Worth reading

- Zhao, Ding, and Hwei Peng. "From the lab to the street: Solving the challenge of accelerating automated vehicle testing." <https://mcity.umich.edu/wp-content/uploads/2017/05/Mcity-White-Paper-Accelerated-AV-Testing.pdf>
- Waymo Safety Report, 2020. <https://storage.googleapis.com/sdc-prod/v1/safety-report/2020-09-waymo-safety-report.pdf>
- Corso, A., Moss, R.J., Koren, M., Lee, R. and Kochenderfer, M.J., 2020. A survey of algorithms for black-box safety validation. <https://arxiv.org/abs/2005.02979>